

Amplificazione e formatura del segnale

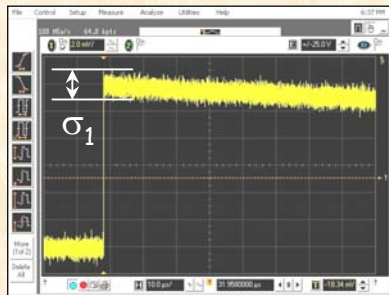
Alberto Pullia

Scuola di elettronica INFN

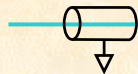
25-29 ottobre 2004

Perchè "formare" (o filtrare) il segnale ?

Segnale del preamplificatore



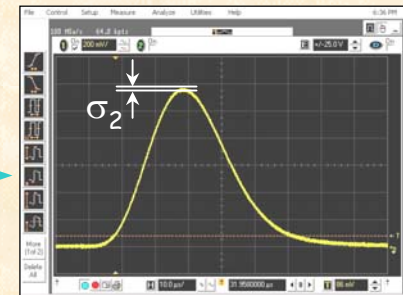
50 μ s



Amplificatore formatore analogico quasi Gaussiano (*spectroscopy amplifier* ORTEC mod. 572)



Stesso segnale dopo la formatura

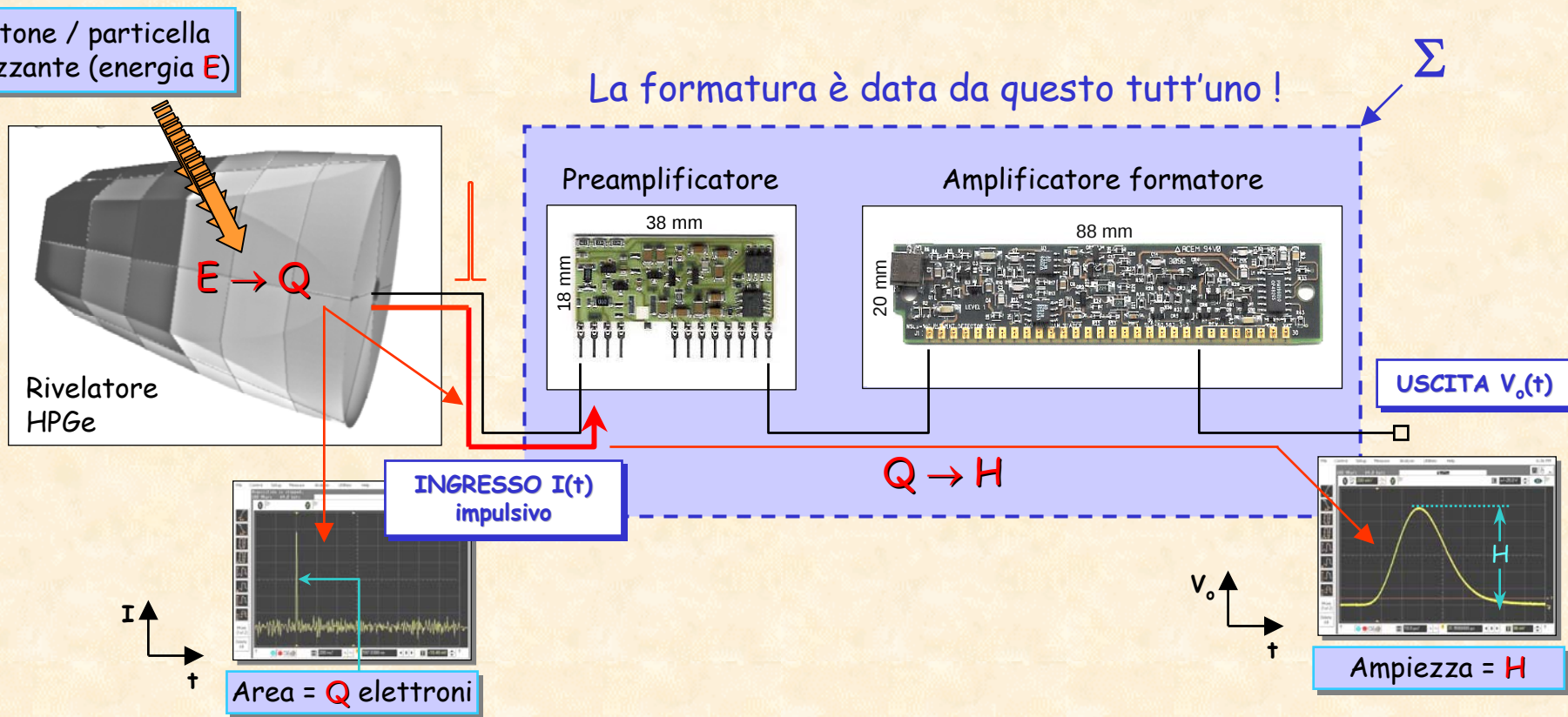


50 μ s

$\sigma_2 \ll \sigma_1$: la formatura abbatte il rumore elettronico !

L'amplificatore formatore modifica la forma del segnale del preamplificatore per ridurre il rumore elettronico.

Ingresso, uscita e ENC



Segnale:

Dalla misura di H (a basso rumore) si ricavano a ritroso Q ed E .

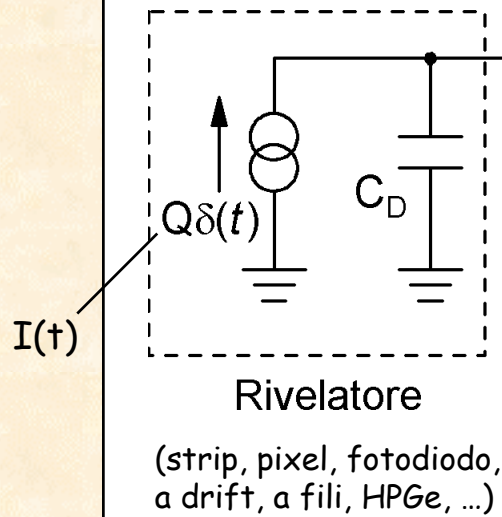
Rumore:

Il rumore visto all'uscita dell'amplificatore formatore va anch'esso riferito all'ingresso dividendolo per il guadagno H/Q della catena elettronica Σ .

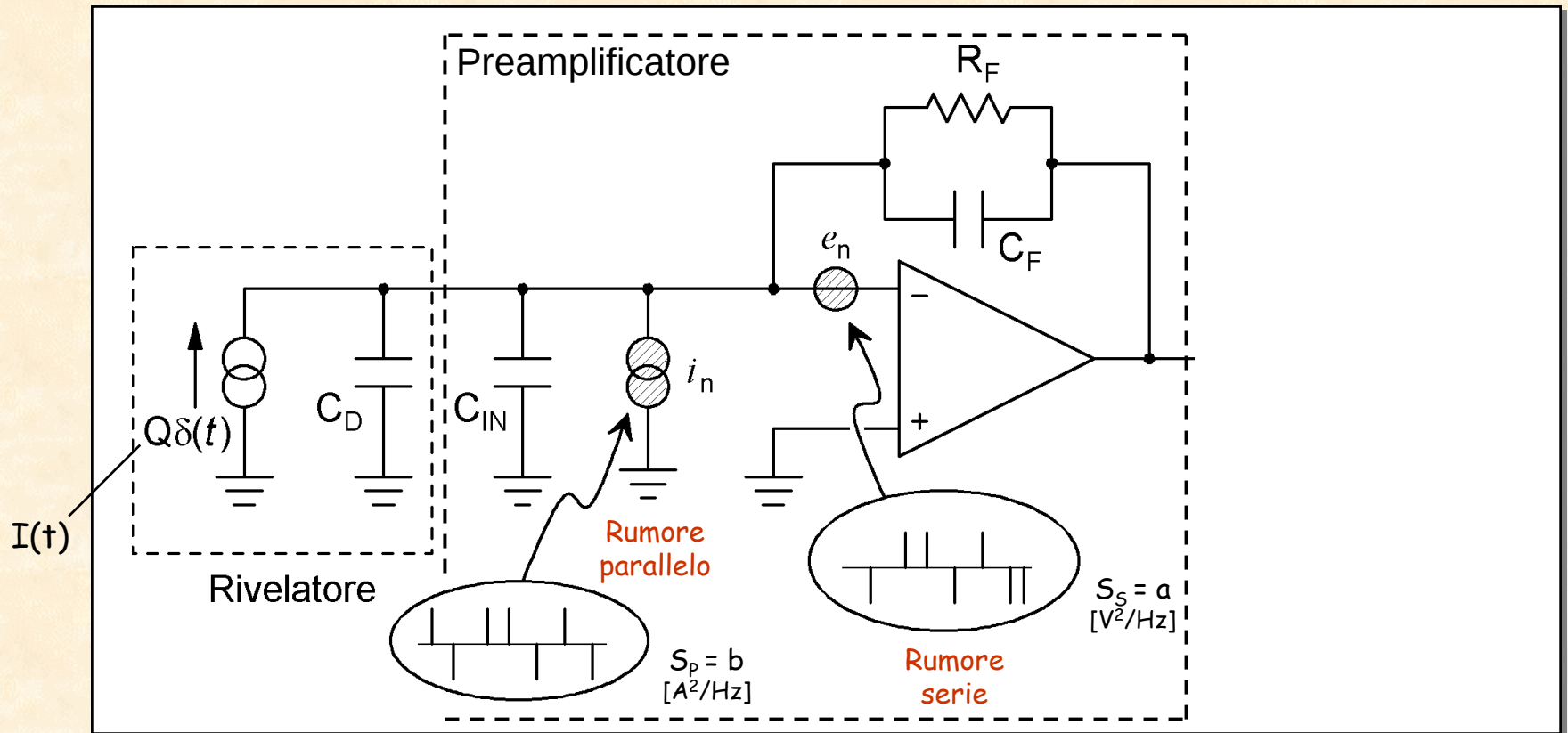


ENC = Equivalent Noise Charge
(Rumore della misura di H espresso in carica rms all'ingresso)

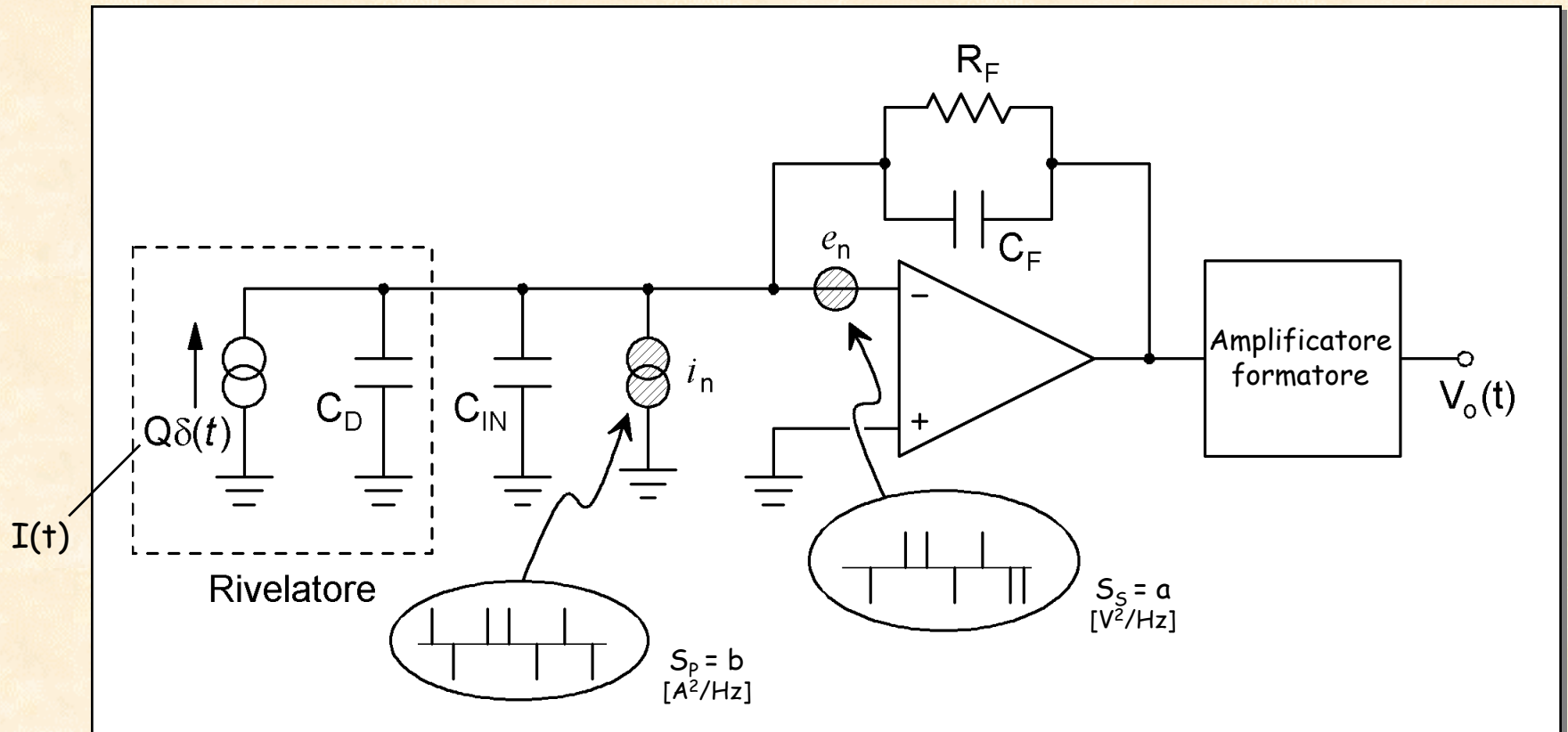
Schematizzazione sistema



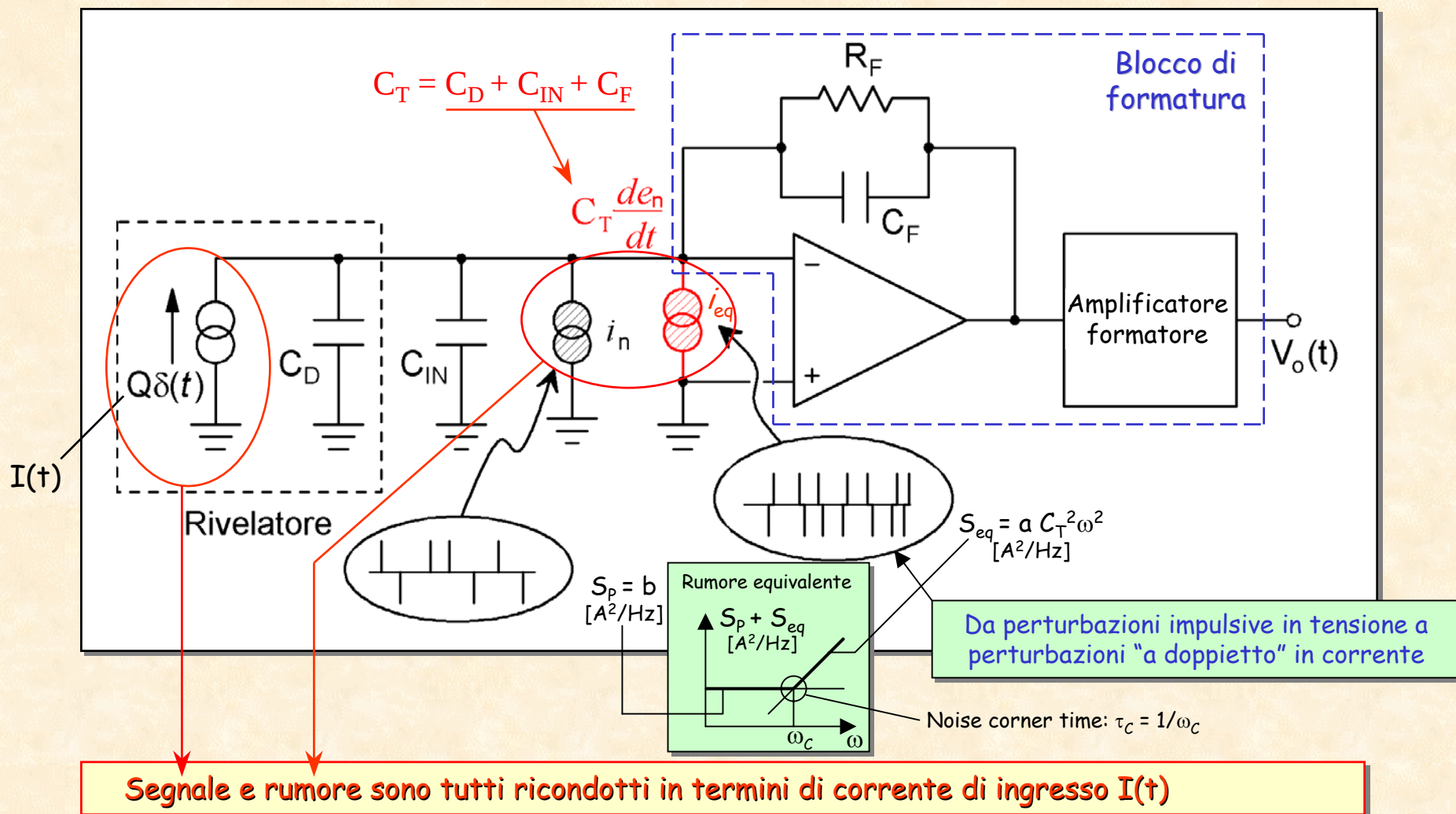
Schematizzazione sistema



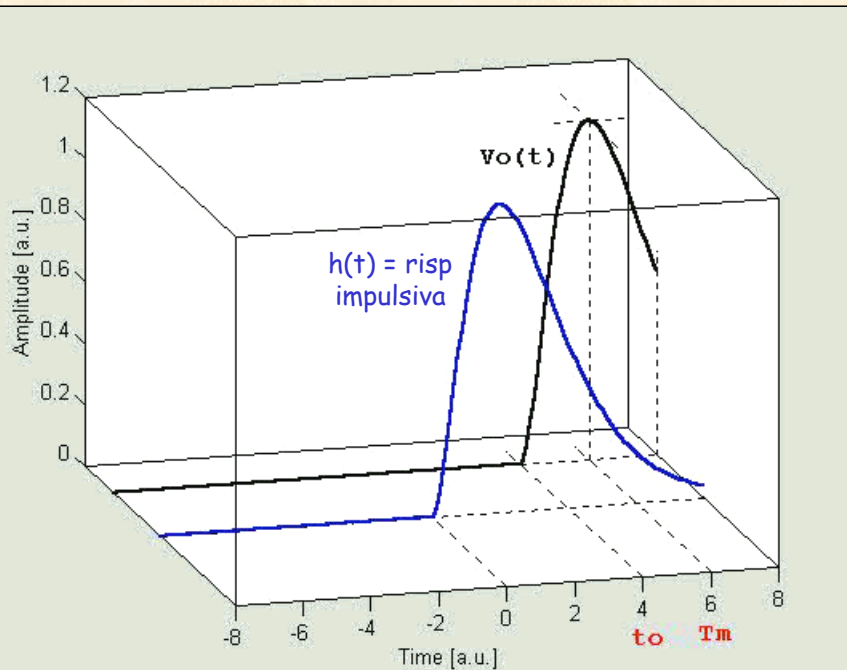
Schematizzazione sistema



Schematizzazione sistema

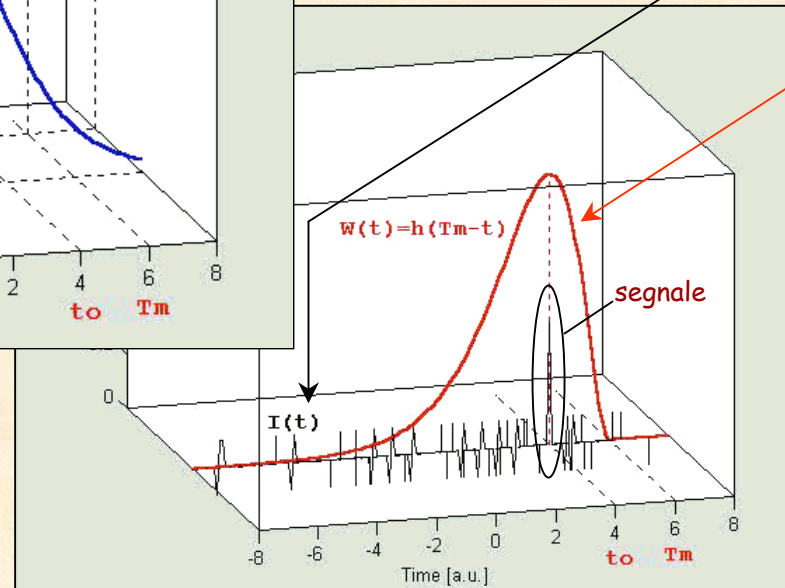


Da $I(t)$ a $V_o(t)$: funzione peso

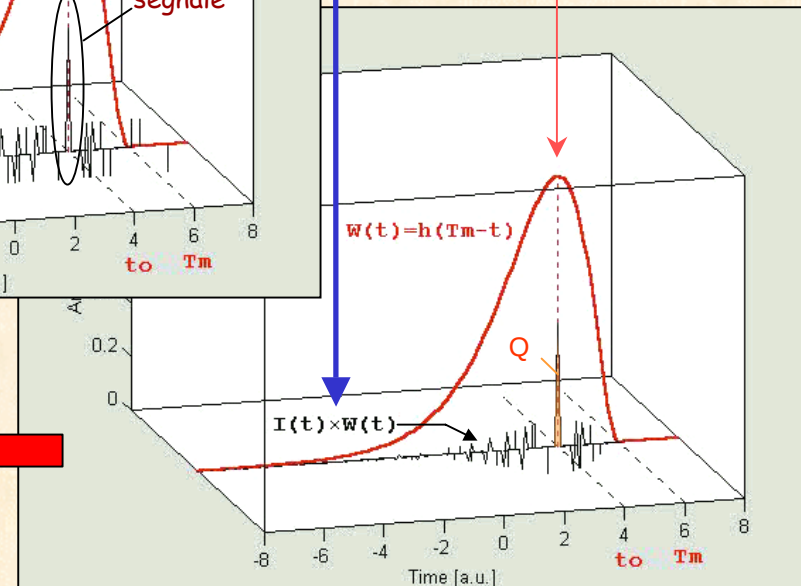


$$V_o(T_m) = \int_{-\infty}^{\infty} I(t) W(t) dt$$

$h(T_m - t)$ (teorema di convoluzione)



Normalizzando W ad 1 si ottiene la carica Q anziché la tensione $V_o(T_m)$

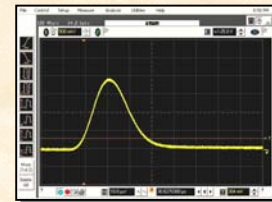
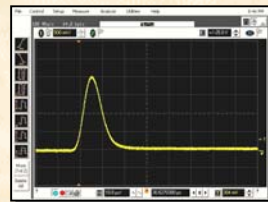
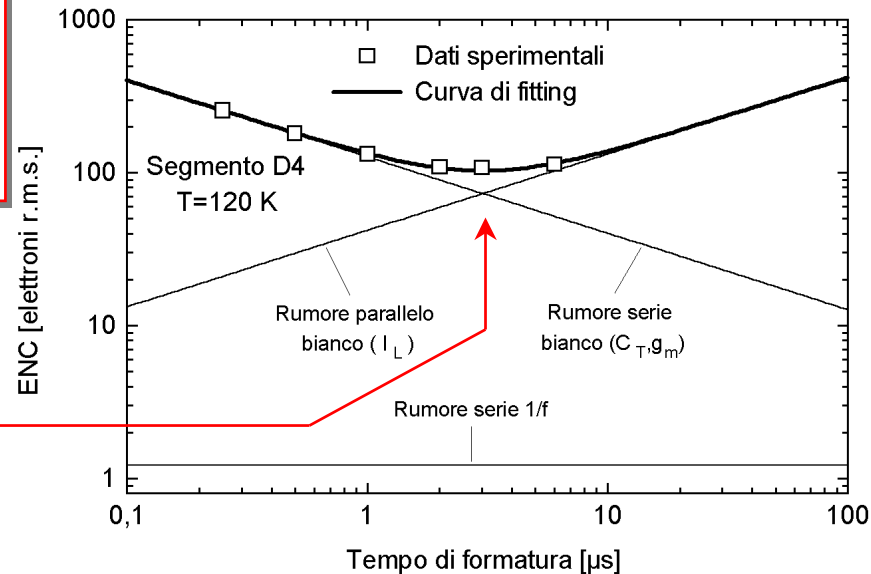


Per minimizzare il rumore a "delte" (parallelo bianco) $\rightarrow$ fz peso stretta

Per minimizzare il rumore a "doppietti" (serie bianco) $\rightarrow$ fz peso "morbida", larga

Tempo di formatura

Esiste un tempo di formatura ottimo dove il rumore è minimo. E' il giusto compromesso per il rumore a delte (fz peso stretta) e il rumore a doppietti (fz peso larga).



Per tempi di formatura crescenti $V_o(t)$ si allarga ma non cambia di forma

Formature sub-ottime

Rumore serie bianco Rumore par bianco

Rum 1/f

$$ENC^2 = C_T a \frac{A_1}{\tau} + k A_2 + b A_3 \tau$$

$$\int_{-\infty}^{\infty} \left(\frac{dh}{dt} \right)^2 dt$$

$$\int_{-\infty}^{\infty} h(t)^2 dt$$

$$\int_{-\infty}^{\infty} \left(\frac{d^{1/2}h}{dt^{1/2}} \right)^2 dt$$

Rif. Pul3

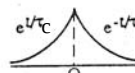
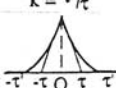
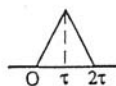
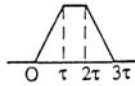
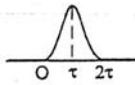
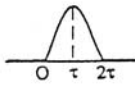
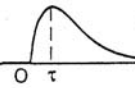
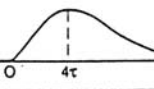
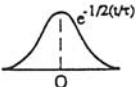
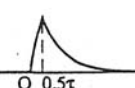
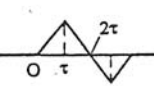
$$\tau_C = C \sqrt{\frac{a}{b}}$$

$$\tau_{opt} = \sqrt{\frac{A_1}{A_3}} \tau_C$$

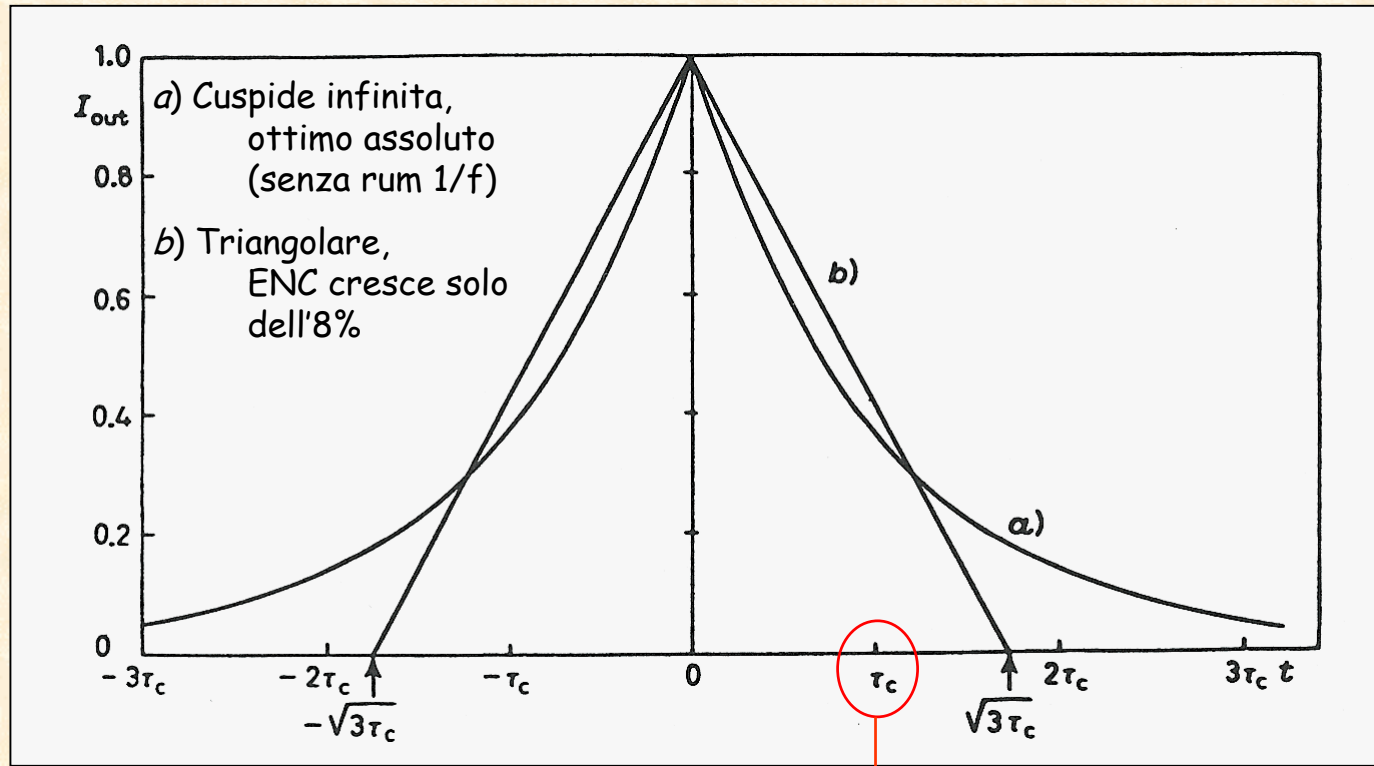
$$\frac{ENC_{opt}^2}{ENC_{\infty}^2} = \sqrt{A_1 A_3}$$

(senza rumore 1/f)

Rif. Man1

	Shaping	h (t) Function	A ₂	$\sqrt{A_1 A_3}$	$\frac{A_2}{\sqrt{A_1 A_3}}$	A ₁	A ₃	$\sqrt{\frac{A_1}{A_3}}$	
1	indefinite cusp		0.64 $\left(\frac{2}{\pi}\right)$	1	0.64	1	1	1	
2	truncated cusp		k = τ'/τ k=1	0.77	1.04	0.74	2.16	0.51	2.06
			k=2	0.70	1.01	0.69	1.31	0.78	1.30
			k=3	0.67	1	0.67	1.10	0.91	1.10
3	triangular		0.88 $\left(\frac{4}{\pi} \ln 2\right)$	1.15 $\left(\frac{2}{\sqrt{3}}\right)$	0.76	2	0.67 $\left(\frac{2}{3}\right)$	1.73	
4	trapezoidal		1.38	1.83	0.76	2	1.67	1.09	
5	piecewise parabolic		1.15	1.43	0.80	2.67	0.77	1.86	
6	sinusoidal lobe		1.22	1.57	0.78	2.47	1	1.57	
7	RC-CR		1.18	1.85	0.64	1.85	1.85	1	
8	semigaussian (n = 4)		1.04	1.35	0.77	0.51	3.58	0.38	
9	gaussian		1	1.26	0.79	0.89	1.77	0.71	
10	clipped approximate integrator		0.85	1.34	0.63	2.54	0.71	1.89	
11	bipolar triangular		2	2.31	0.87	4	1.33	1.73	

Funzione peso ottima "a cuspid"e

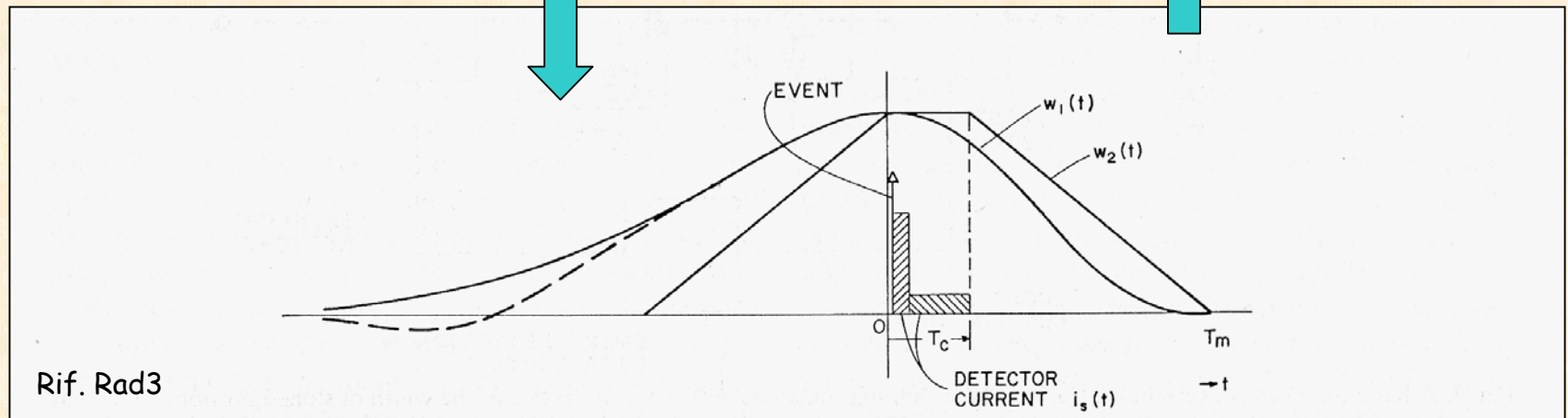
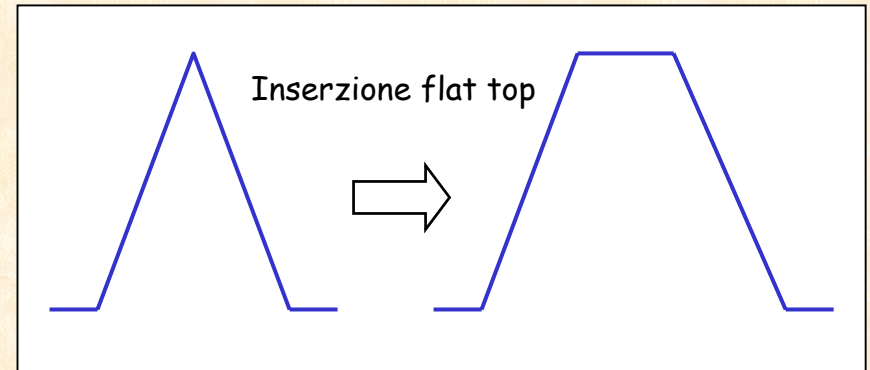
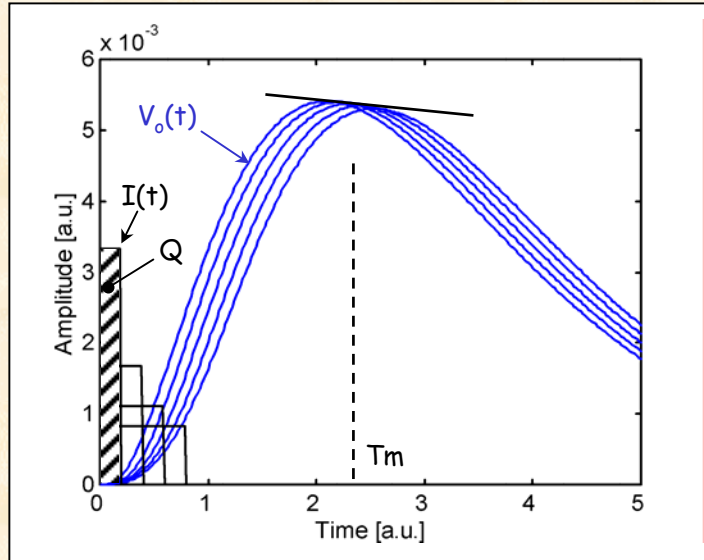


Rif. Rad2

Per ridurre il *pileup*, cioè la sovrapposizione di più segnali si può utilizzare una fz peso tempo limitata (ad es. triangolare).

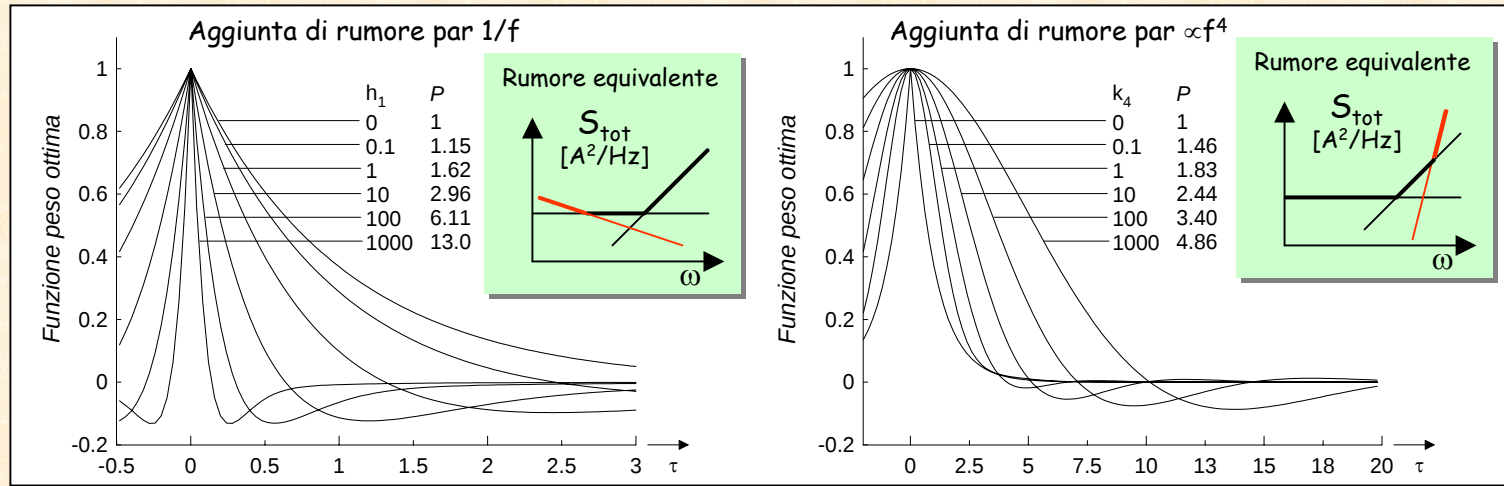
$$\tau_c = C \sqrt{\frac{a}{b}}$$

Deficit balistico / flat top

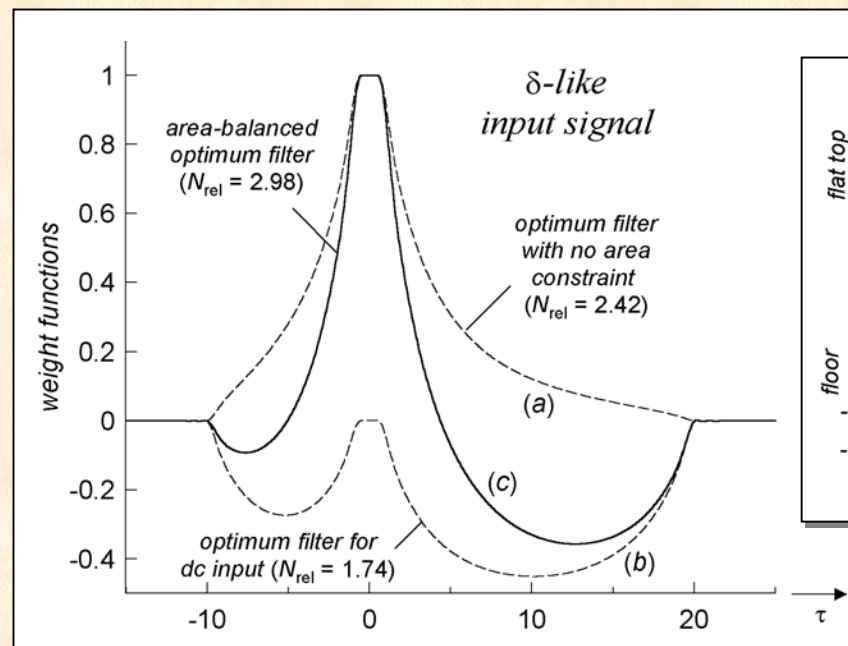


Formatura ottima (filtro) *matched* con vincoli

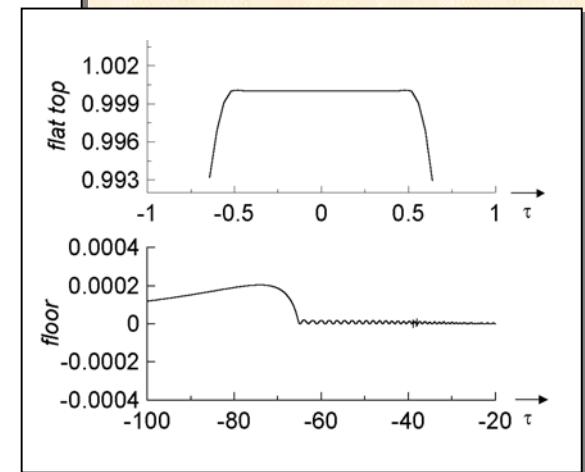
**Forme ottime
senza vincoli per
diverse densità di
rumore**



**Inserzione di vincoli
(flat top, durata finita)
per sovrapposizione**

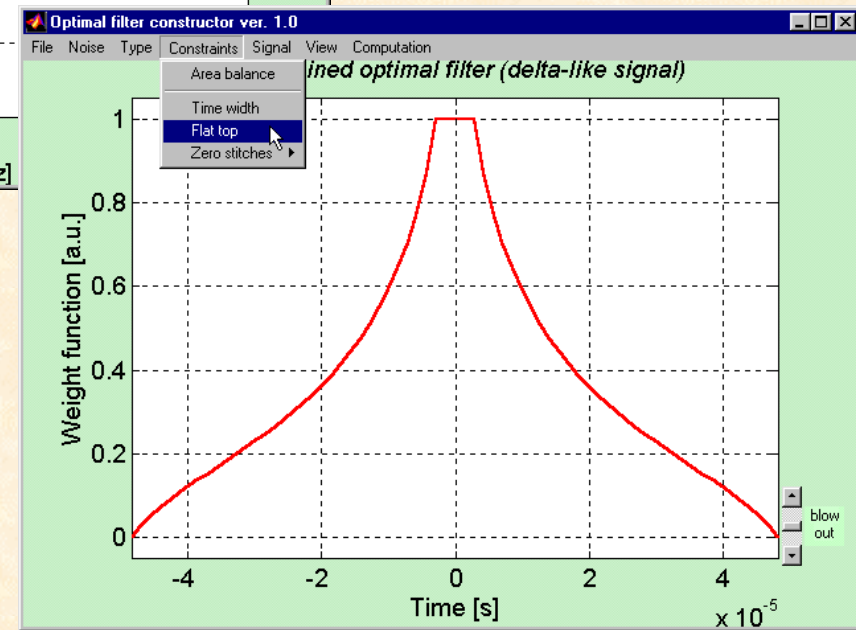
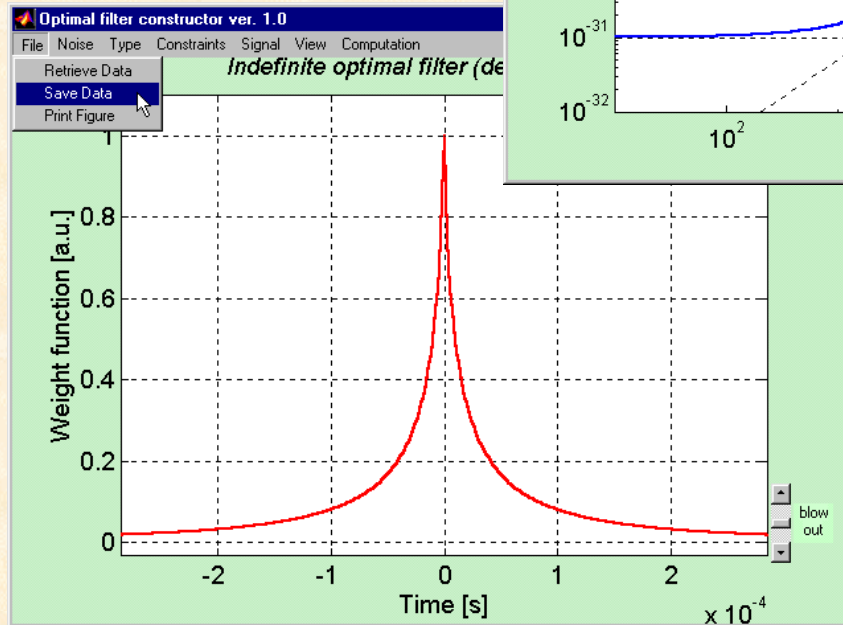
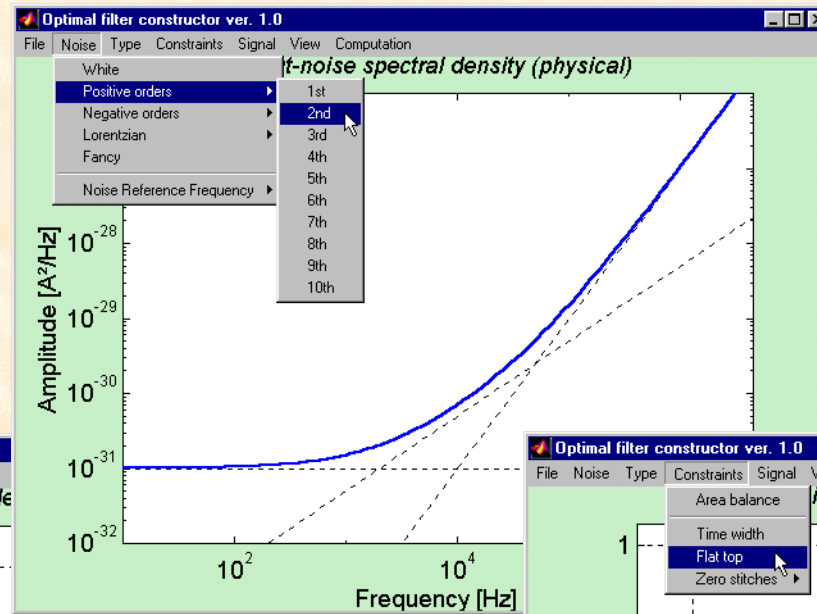


Rif. Pul2



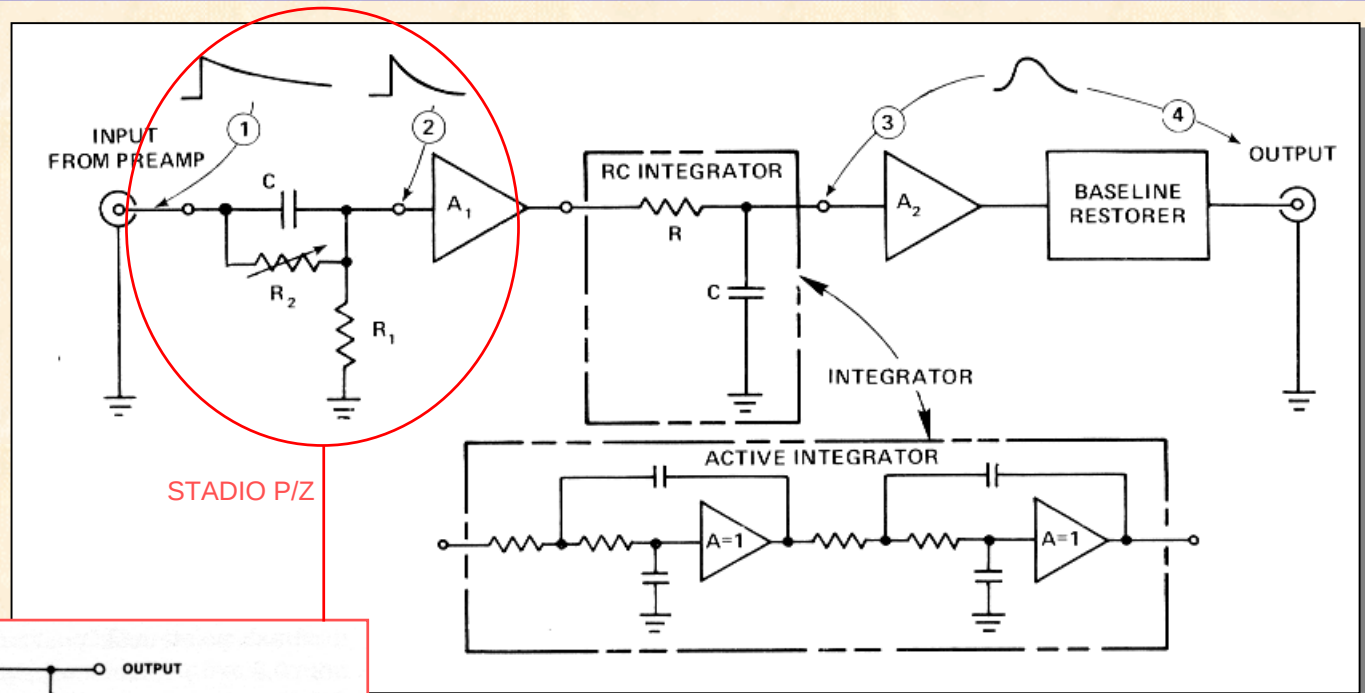
Software di calcolo filtro *matched* con vincoli

Calcolo automatico
del filtro *matched*
con (o senza) vincoli
temporali

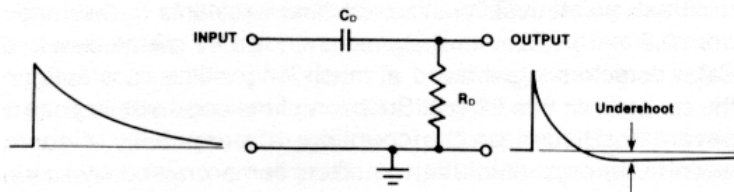


Formatori quasi-Gaussiani

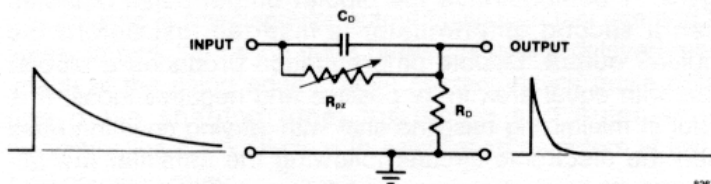
Rif. Ortec1



STADIO P/Z



(a) Simple CR Differentiator

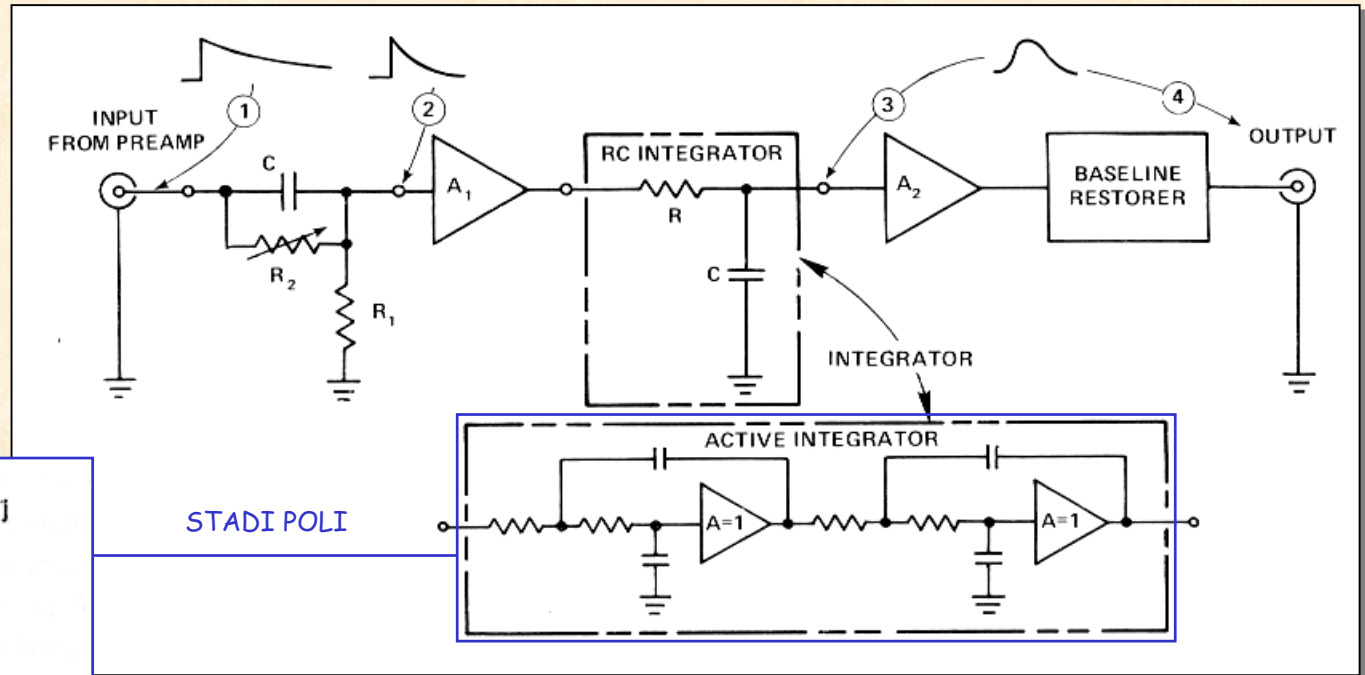


(b) CR Differentiator with Pole-Zero Cancellation

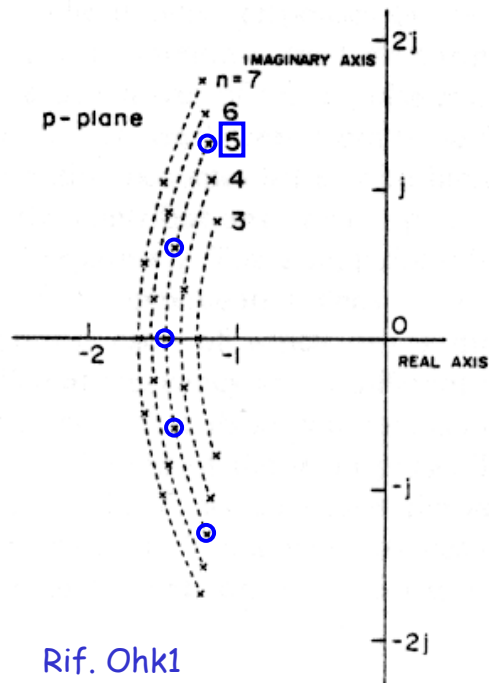
8267

Formatori quasi-Gaussiani

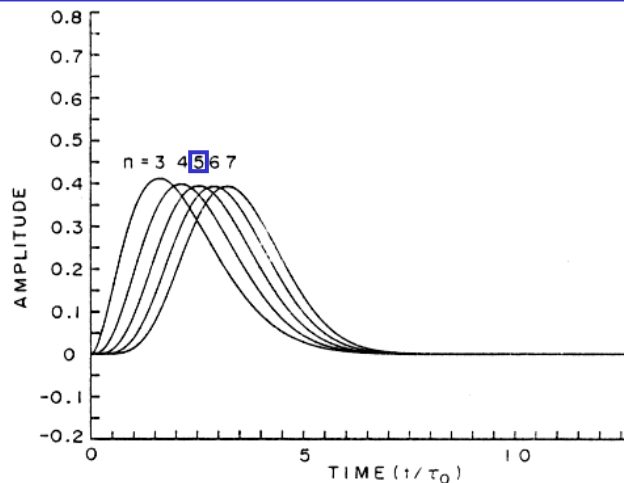
Rif. Ortec1



STADI POLI



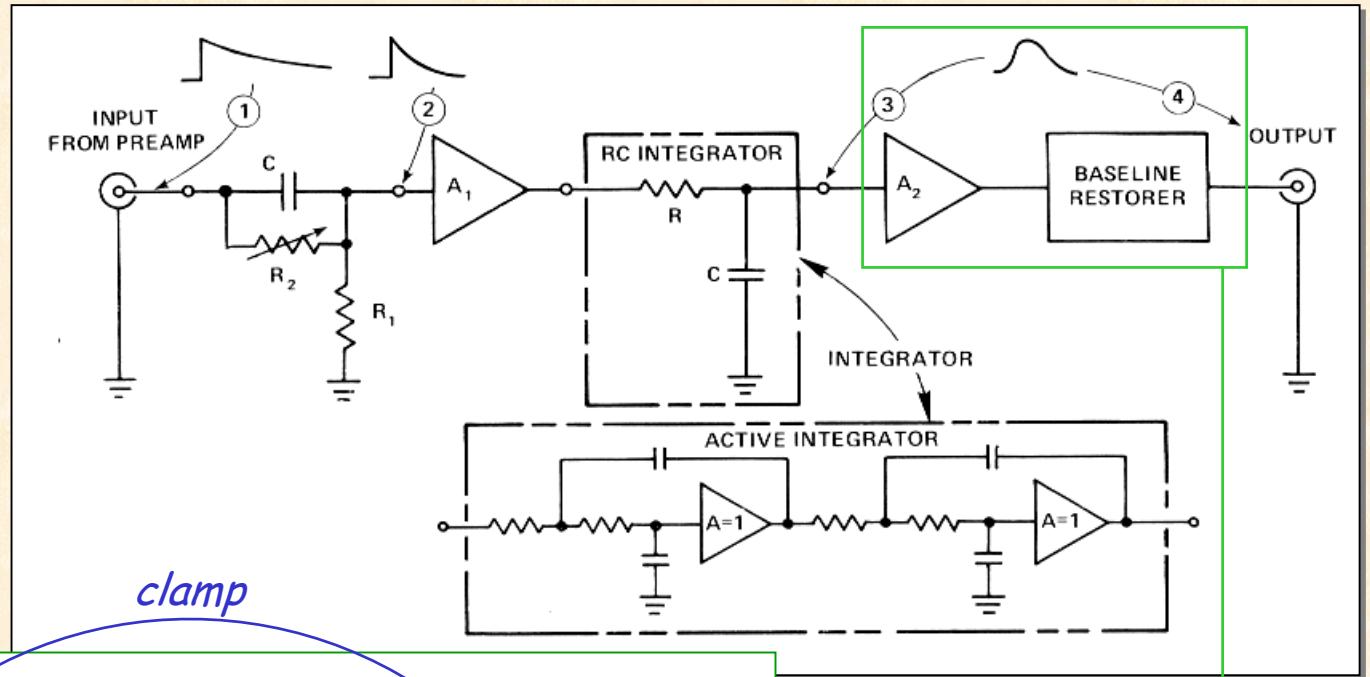
Rif. Ohk1



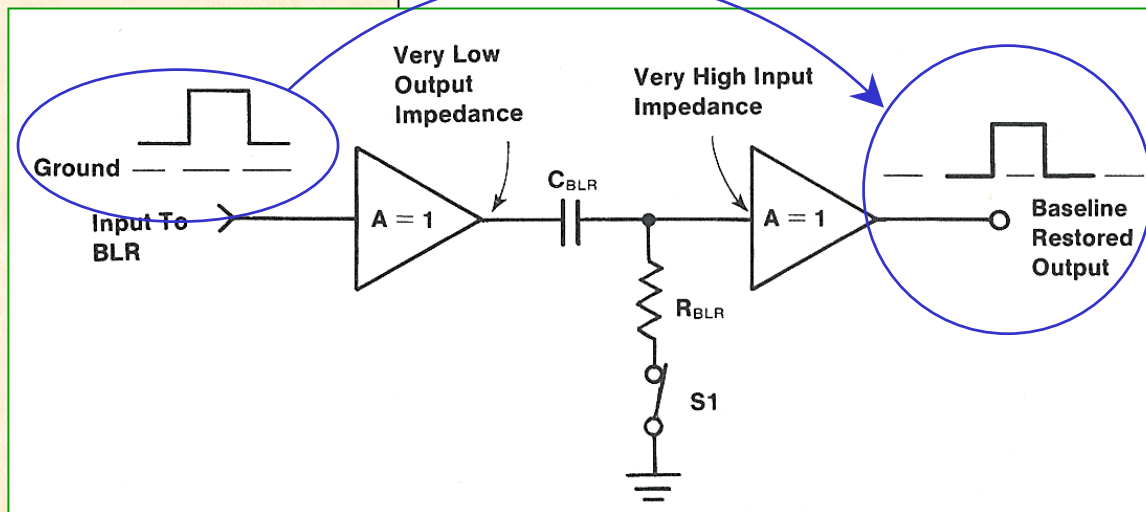
Sia il rumore che il deficit balistico migliorano all'aumentare del numero dei poli.

Formatori quasi-Gaussiani

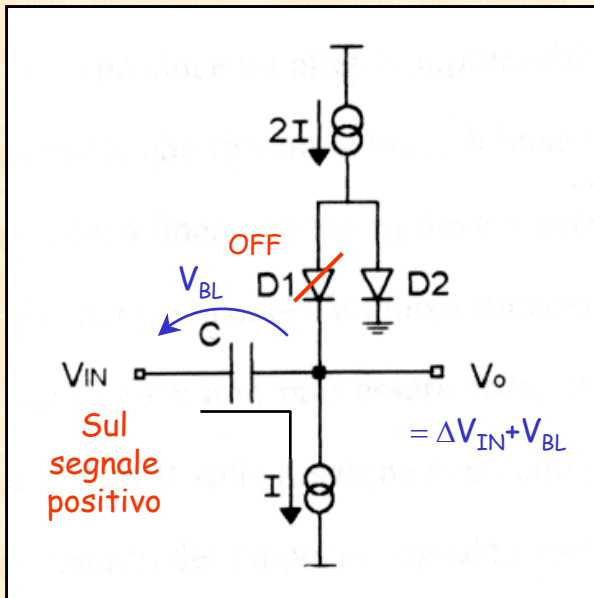
Rif. Ort1



clamp

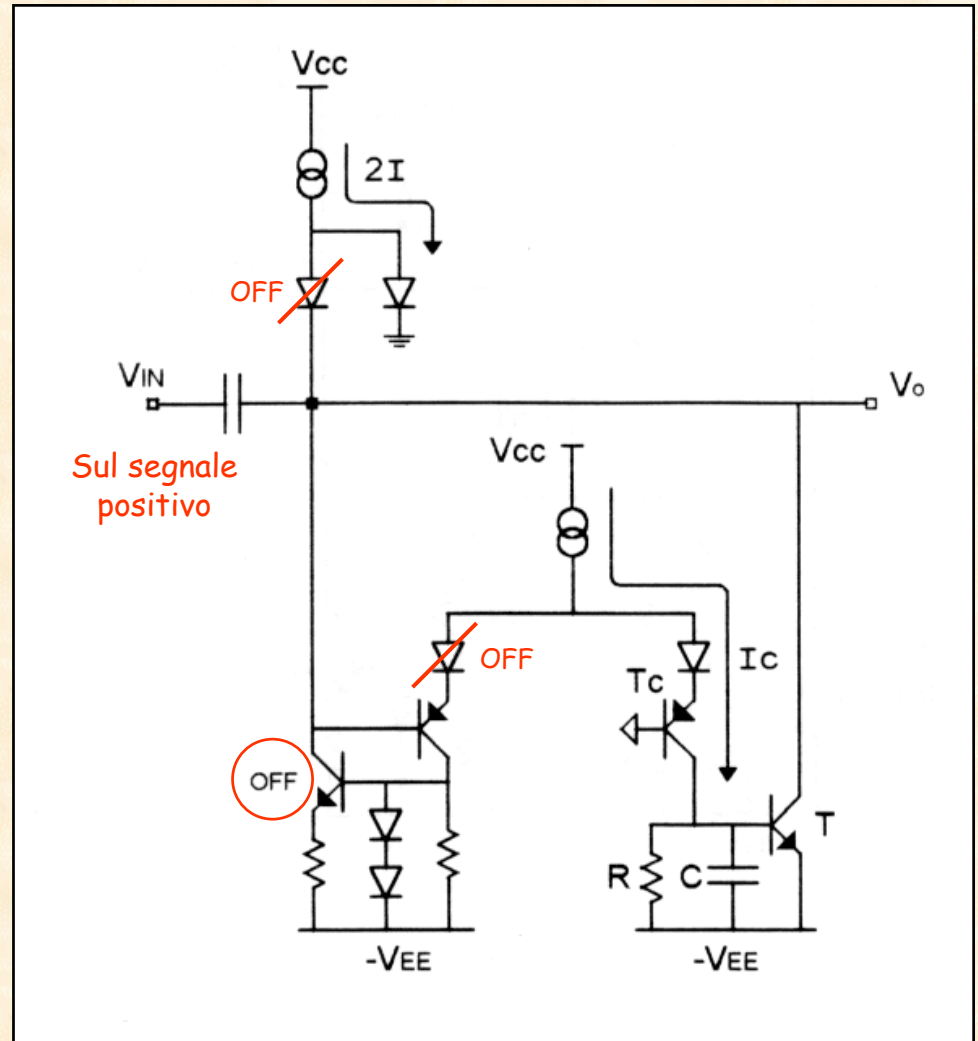


Baseline restorer, esempi



Baseline restorer di Robinson

Rif. Rob1



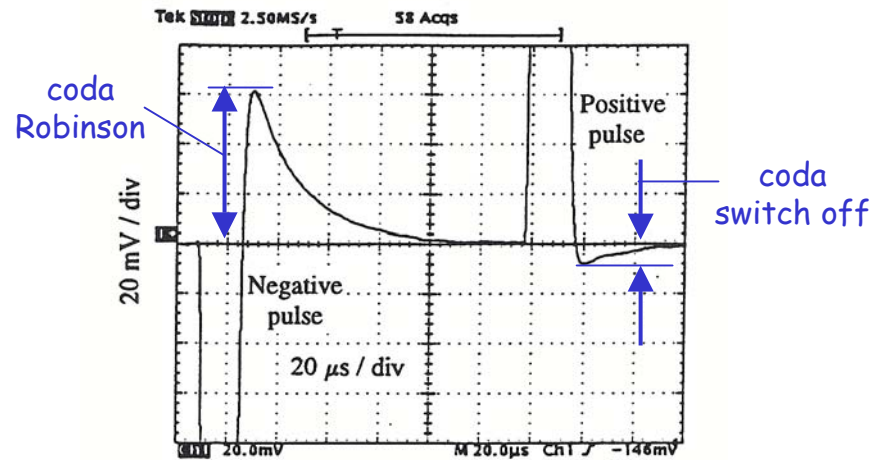
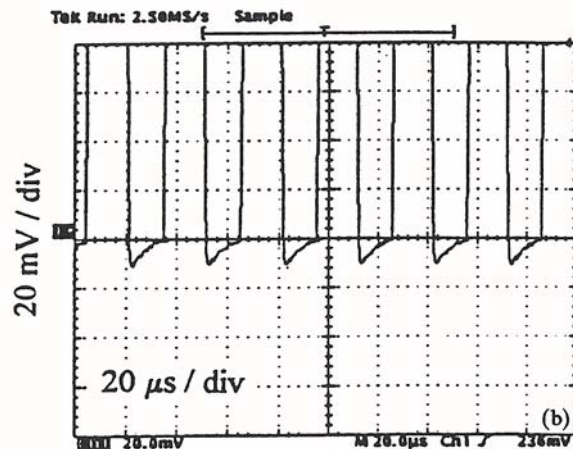
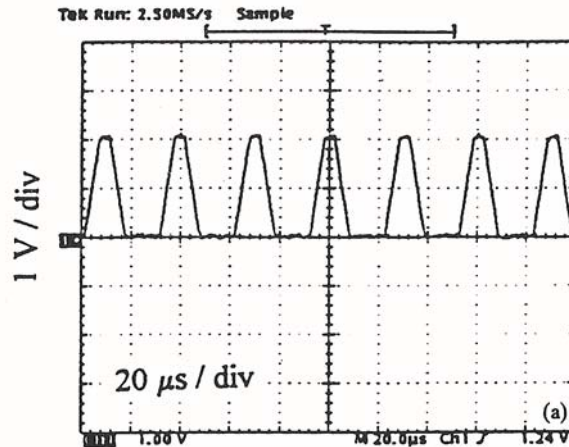
Switch-off baseline restorer

Rif. Pul4

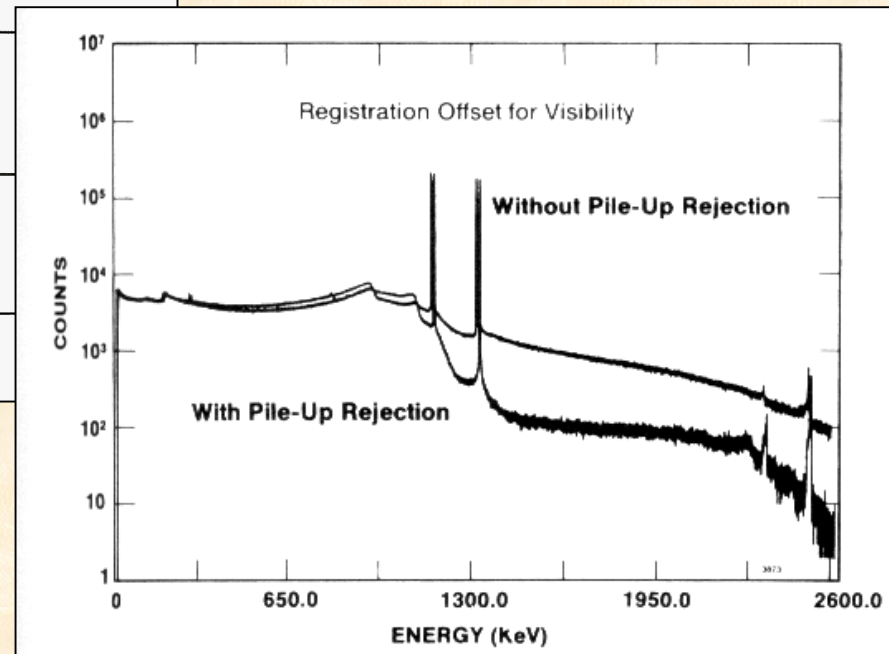
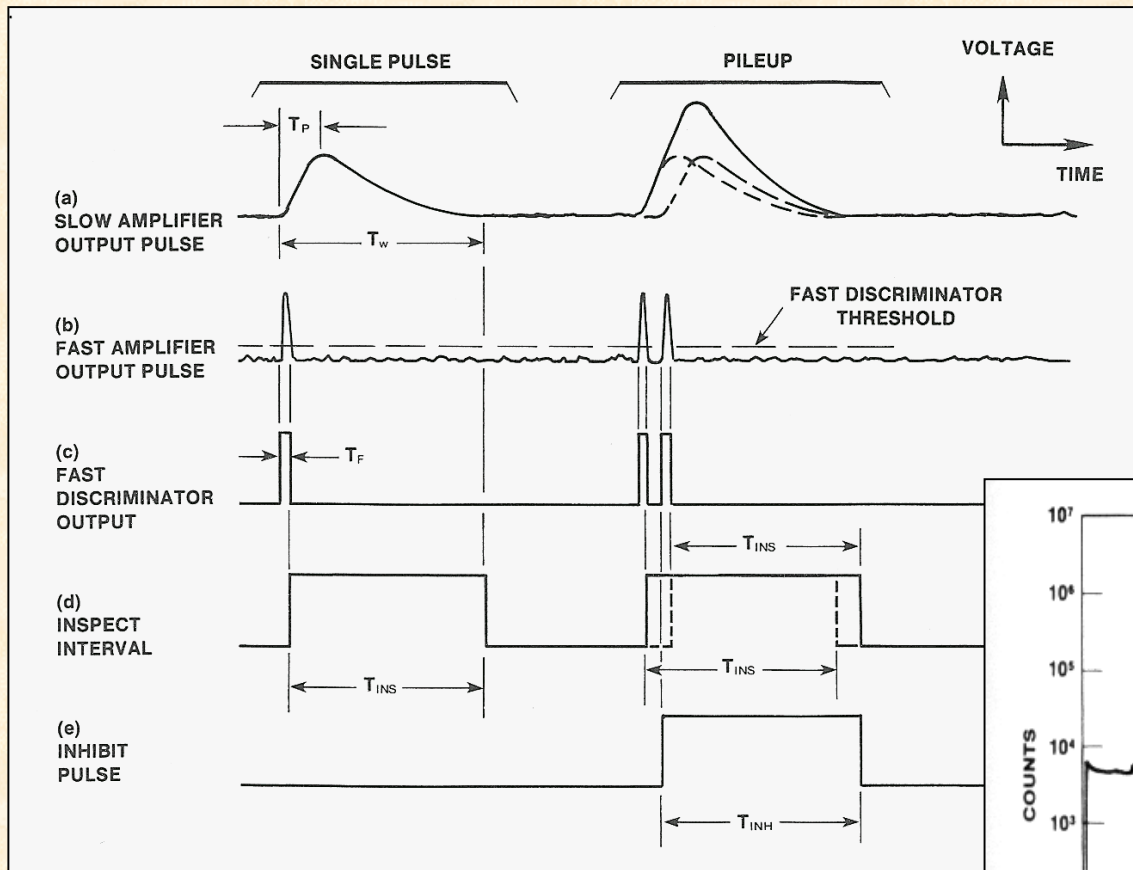
Switch-off restorer, performance

coda switch
off restorer
con densità
= 60%

Confronto
Robinson /
switch-off

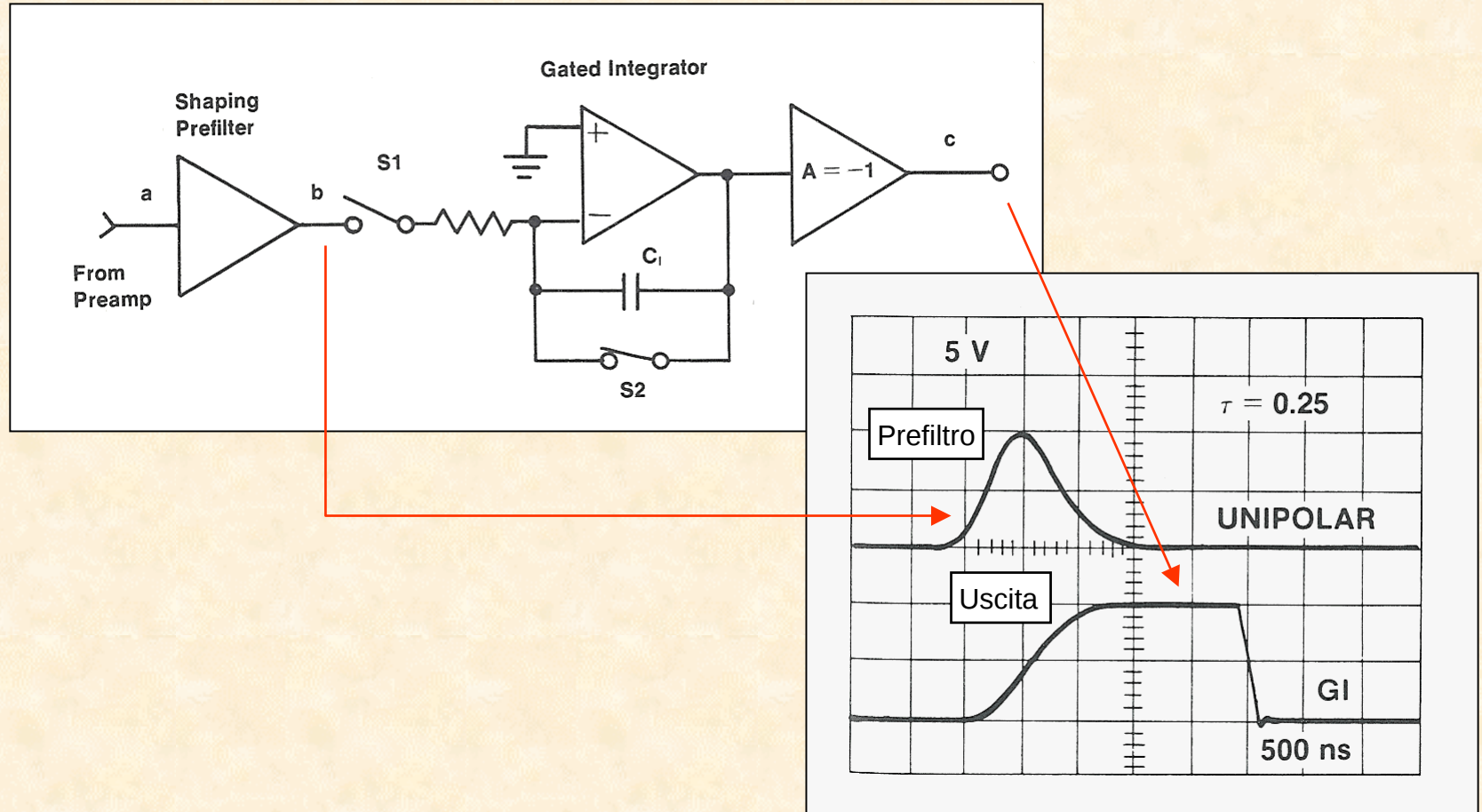


Pileup rejector



Formatori tempo-varianti

Filtro a *gated integrator*

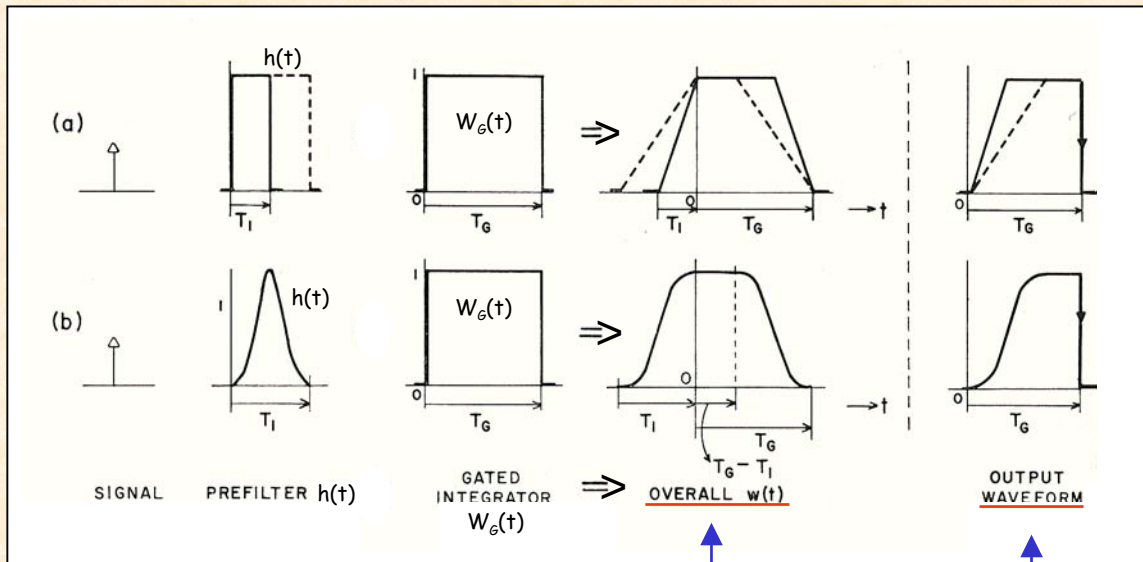


Qual è la **funzione peso** di questo filtro ?

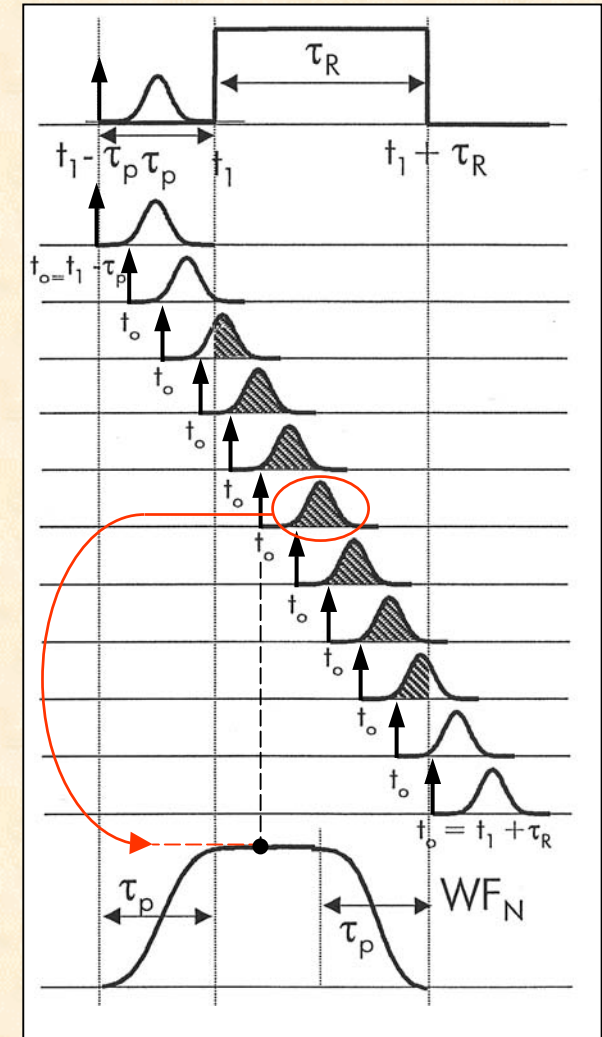
Filtro a *gated integrator*, fz peso

a) Prefiltro a delay-line

b) Prefiltro quasi-gaussiano



Si noti che **fz peso** e **segnale d'uscita** sono diversi, come spesso accade per i sistemi tempo-varianti

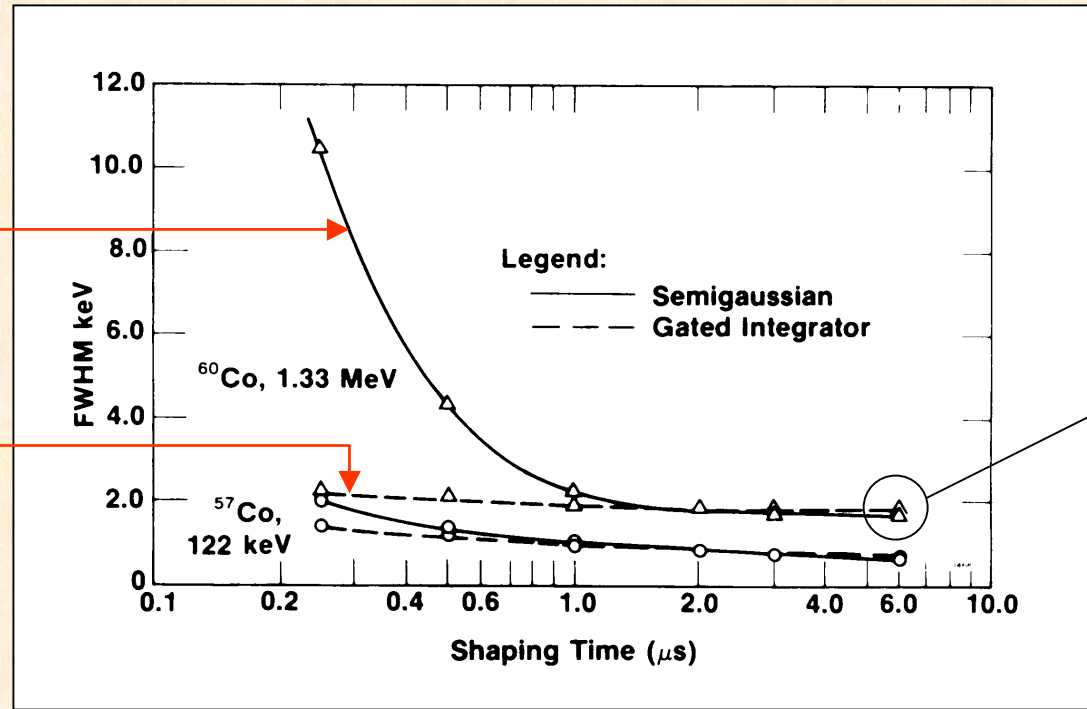


$$WF_N = \int_{-\infty}^{\infty} W_G(\xi) h(\xi - t) d\xi = \text{corr}(W_G, h)$$

Filtro a *gated integrator*, fz performance

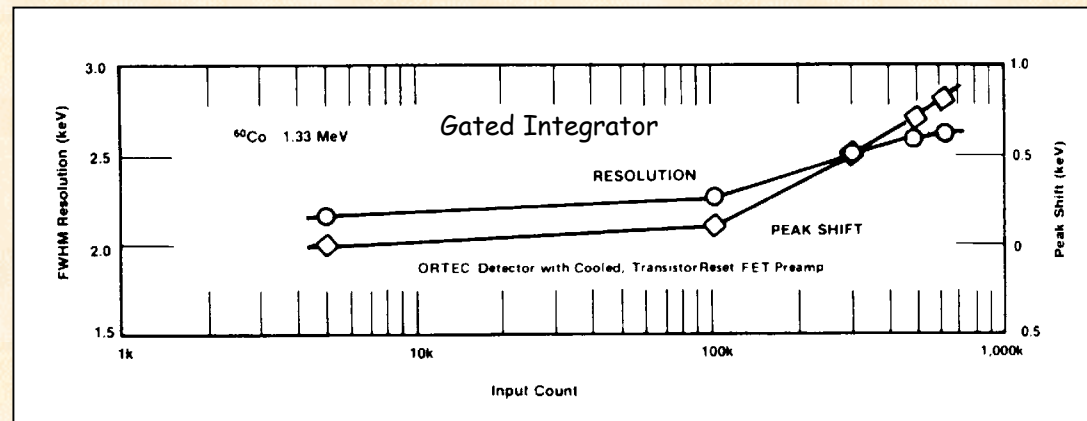
Senza integrazione: il deficit balistico degrada la risoluzione

Con integrazione: il deficit balistico è eliminato dal flat top

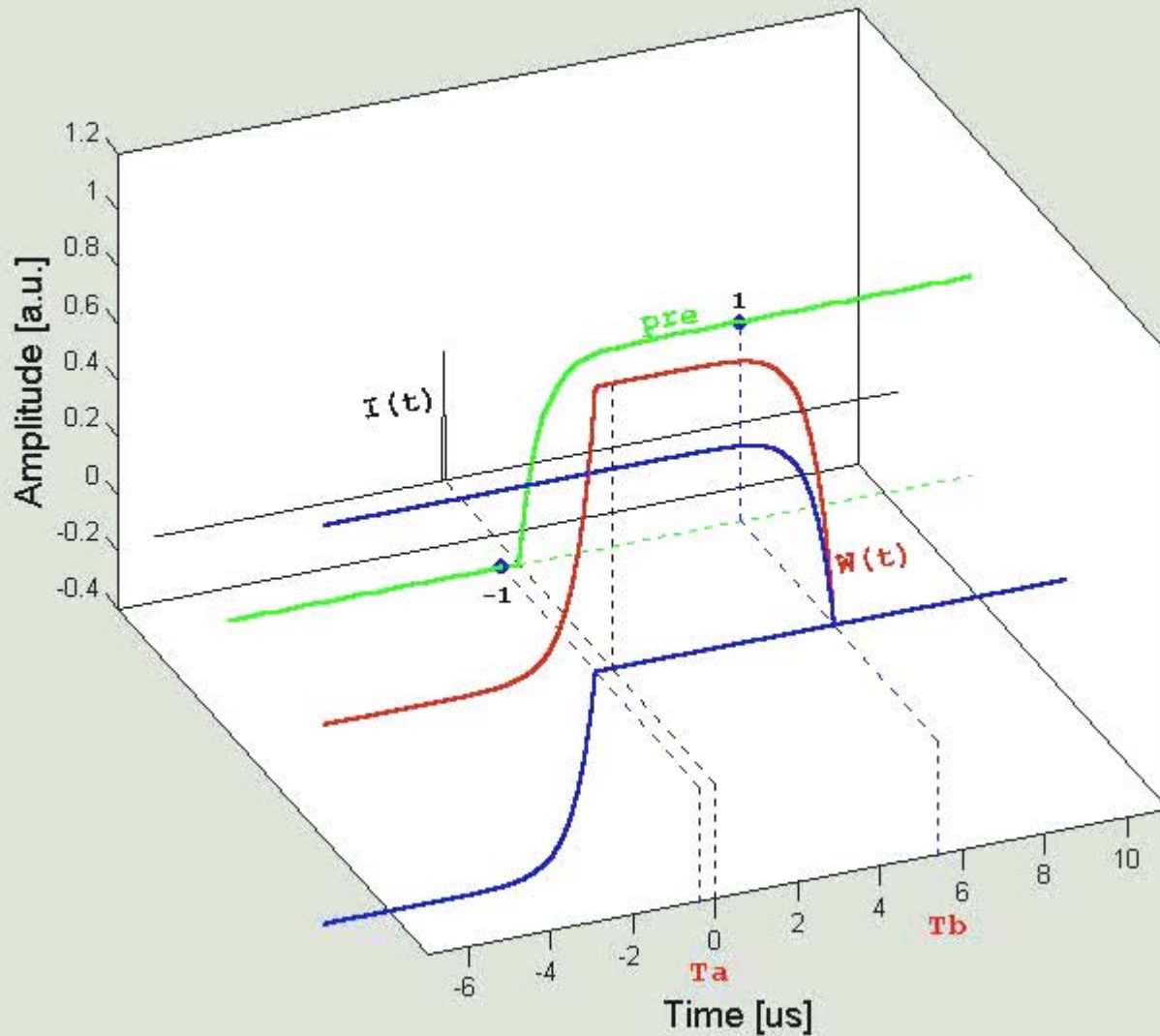


A tempi di formatura lunghi il filtro gaussiano è migliore

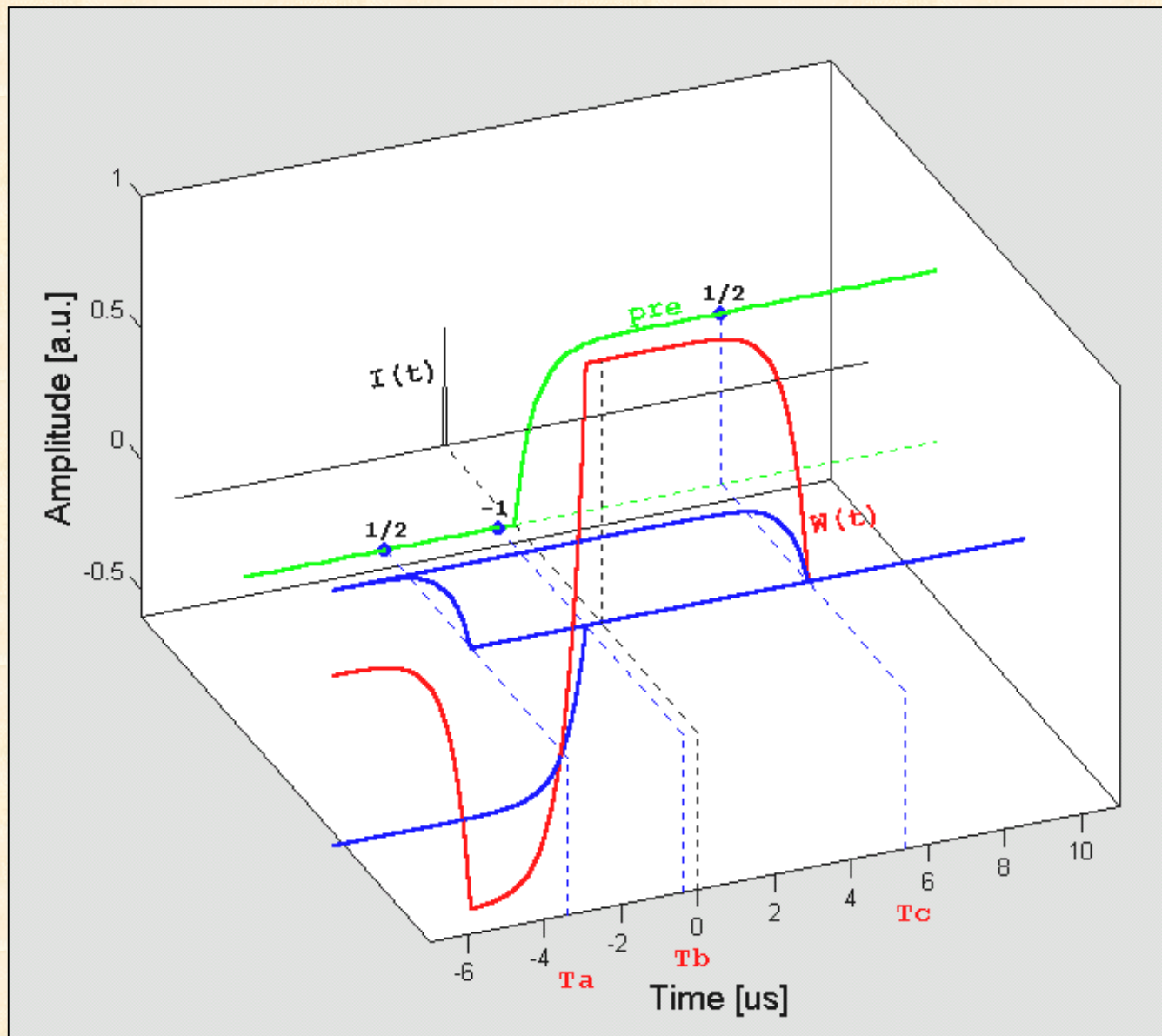
La risoluzione resta buona anche ad altissimi count rates



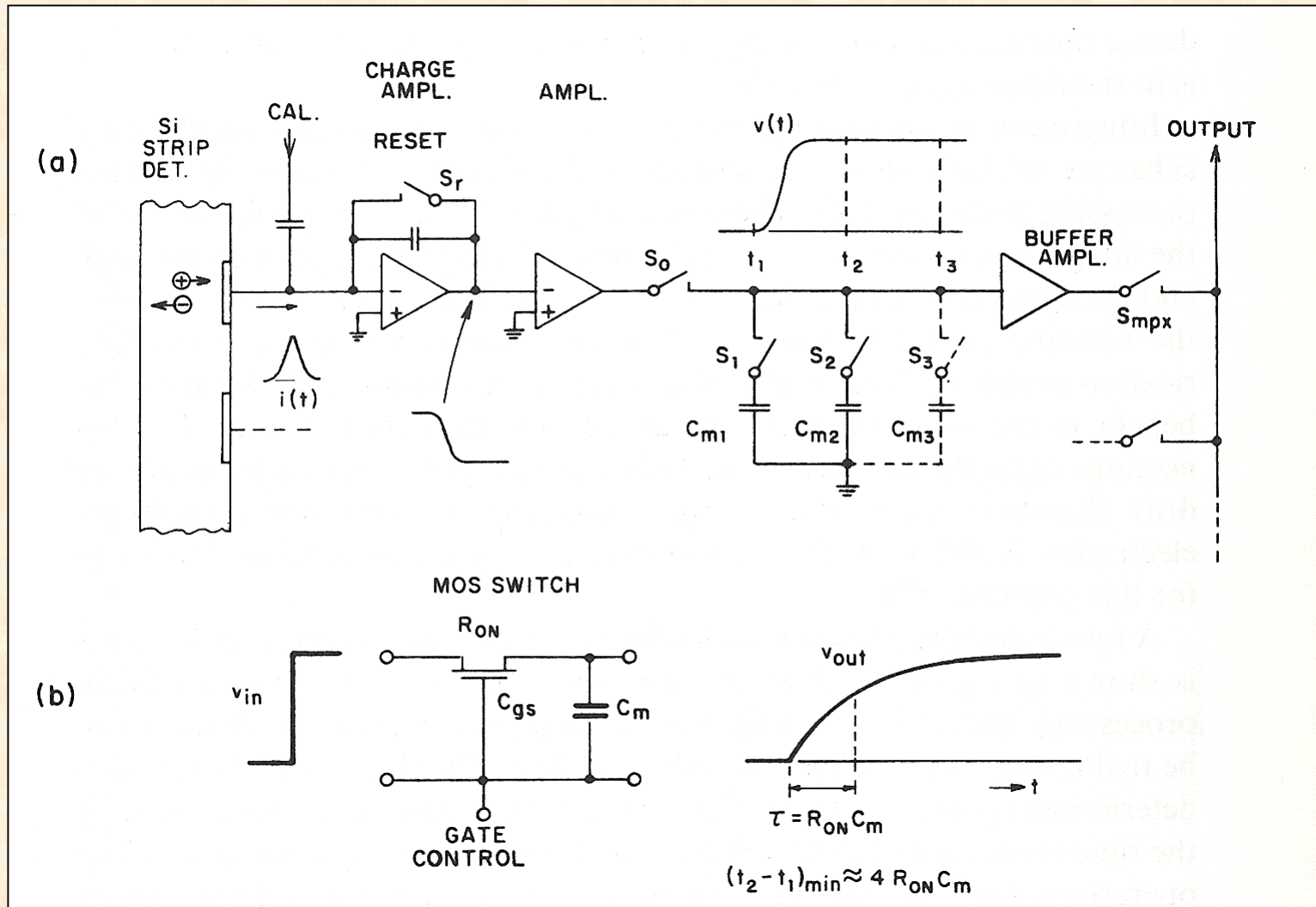
Campionamento doppio correlato



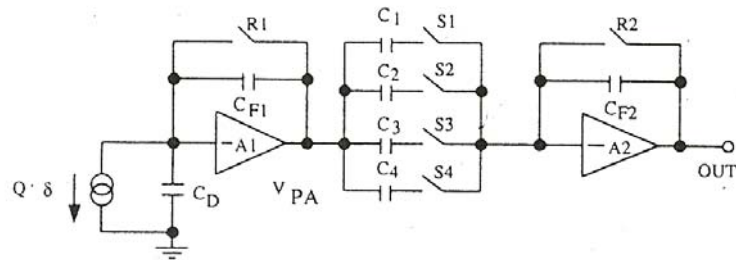
Campionamento triplo



Campionamento multiplo, esempio



Campionamento multiplo: CAMEX / JAMEX



DETECTOR SIGNAL $Q \cdot \delta$

VOLTAGE STEP AT THE
PREAMPLIFIER OUTPUT

$R1$

$R2$

t_1

t_2

t_3

t_4

t'_1

t'_2

t'_3

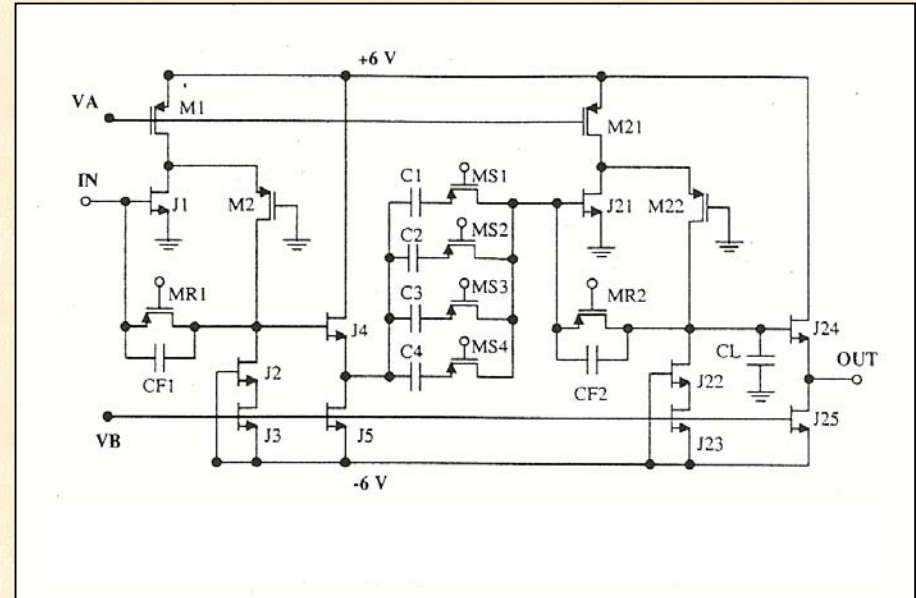
t'_4

$S1$

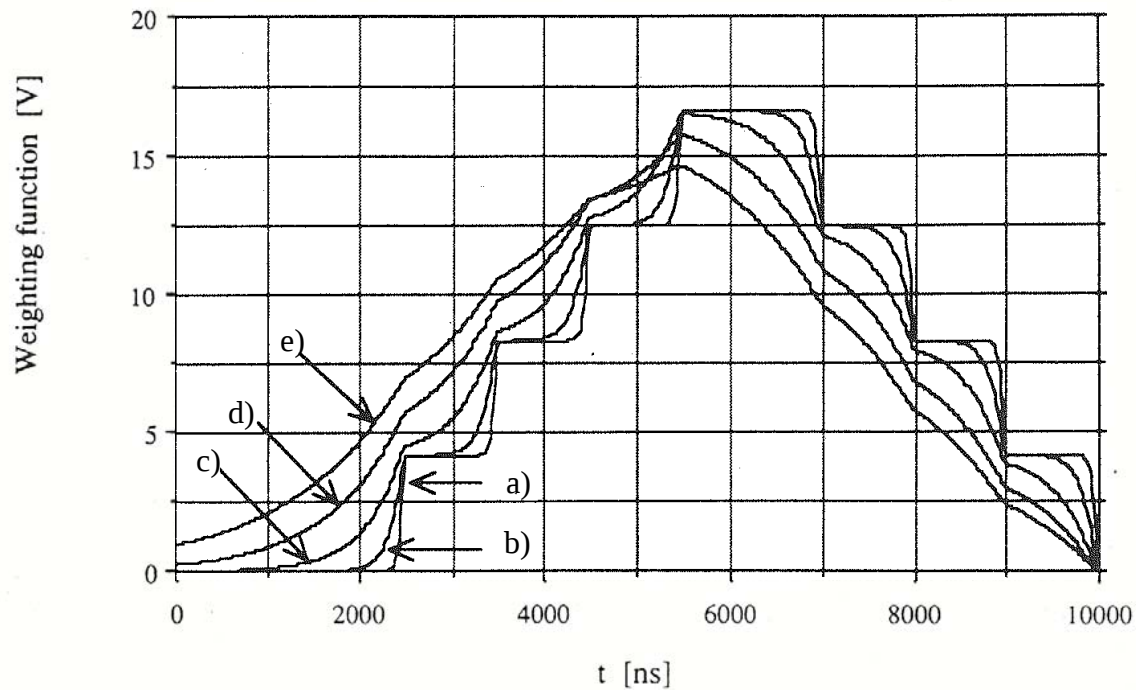
$S2$

$S3$

$S4$



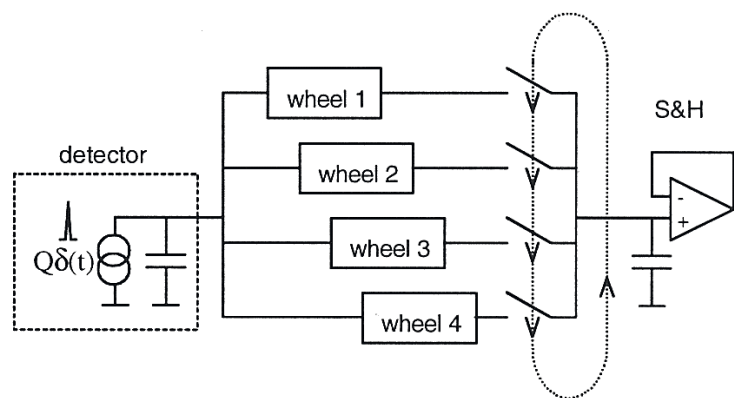
Funzione peso CAMEX



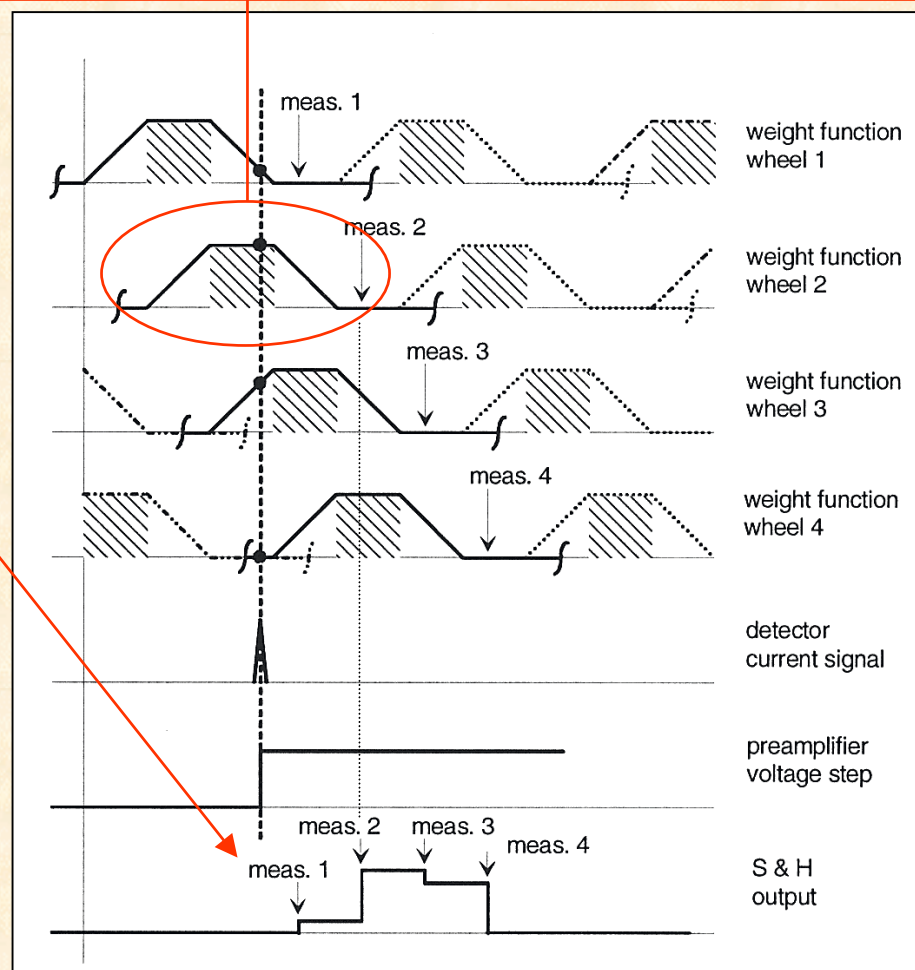
a) $\tau_p = 25$ ns, b) $\tau_p = 150$ ns, c) $\tau_p = 400$ ns, d) $\tau_p = 800$ ns, e) $\tau_p = 1200$ ns

ROTOR

La ruota 2 cattura il pieno segnale e lo trasmette con massimo guadagno



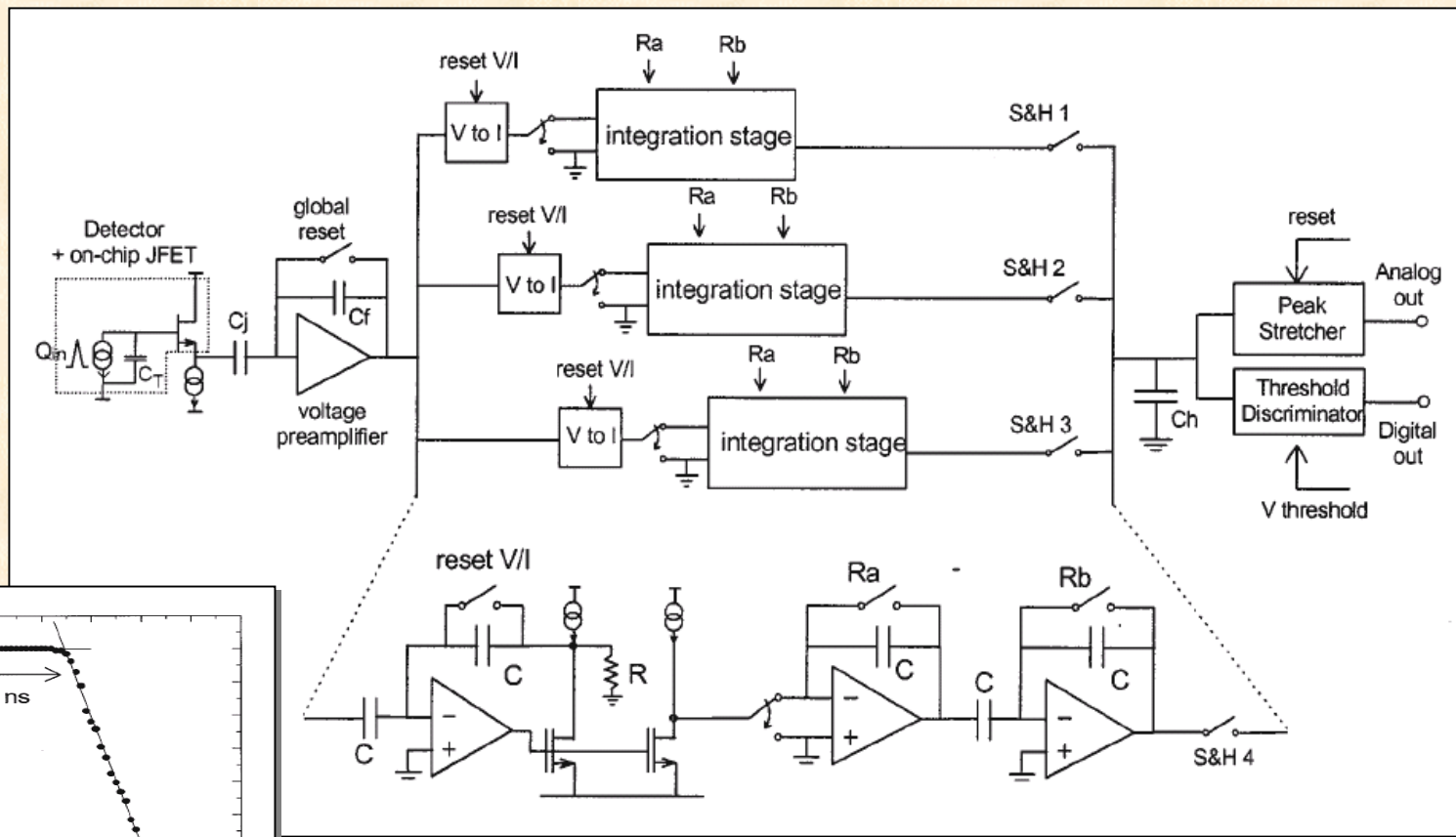
Struttura a "ruote" sfalsate di ROTOR



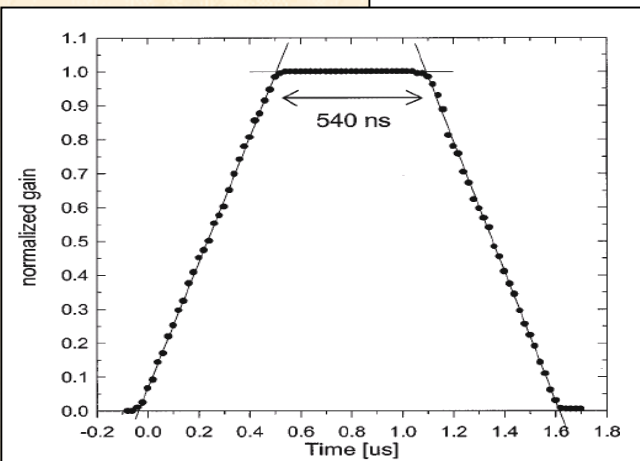
Rif. Pul5

Principio di funzionamento ROTOR

ROTOR



Schema ROTOR

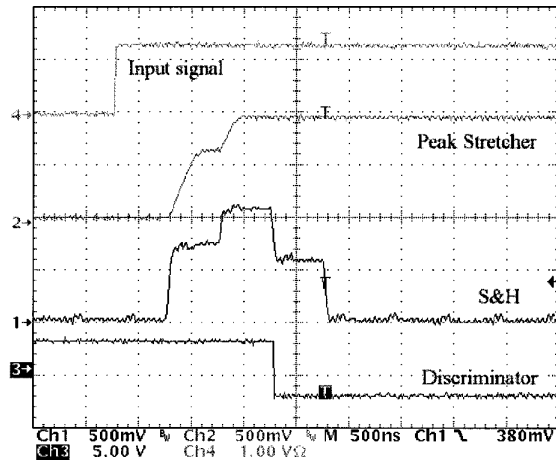


Funzione peso ROTOR

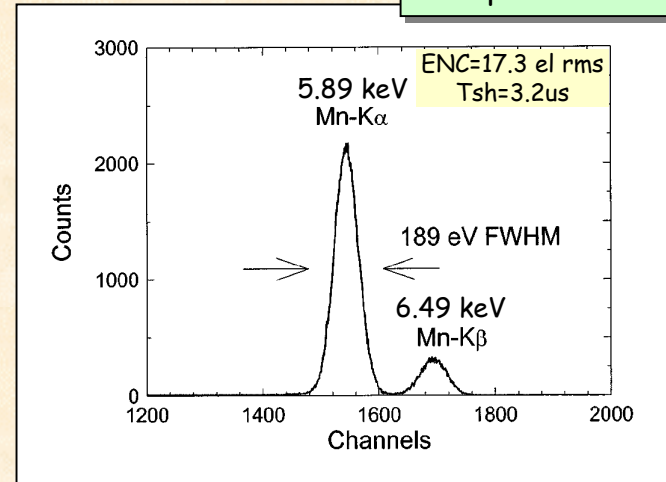
ROTOR, performance

SDD 5 mm² + ROTOR (L=1.6 μ s, FT=0.54 μ s)

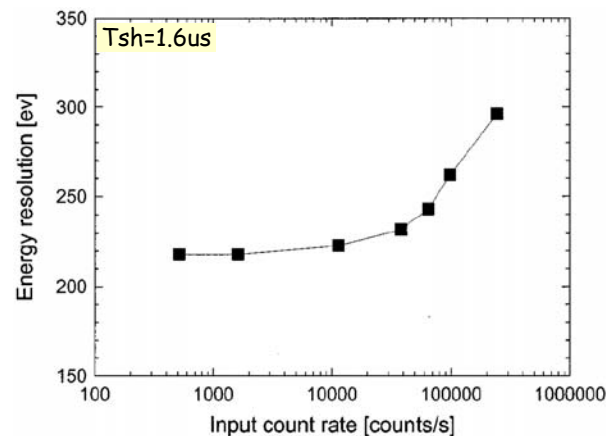
Segnali osservati



Spettro ⁵⁵Fe



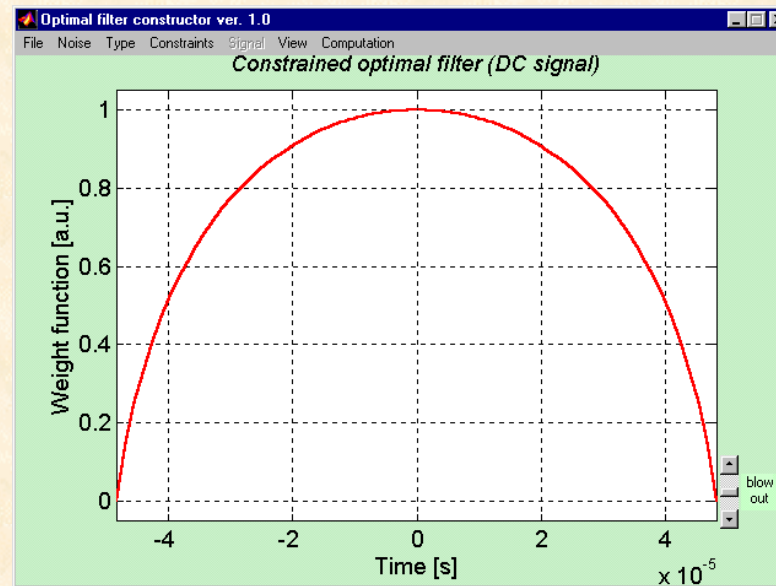
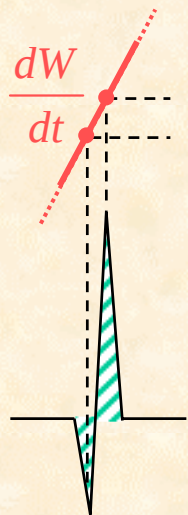
Risoluzione ad alti tassi di conteggio



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Disegni vari



Fac simile
